SF(DA)²: Source-free Domain Adaptation Through the Lens of Data Augmentation

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Domain Adaptation

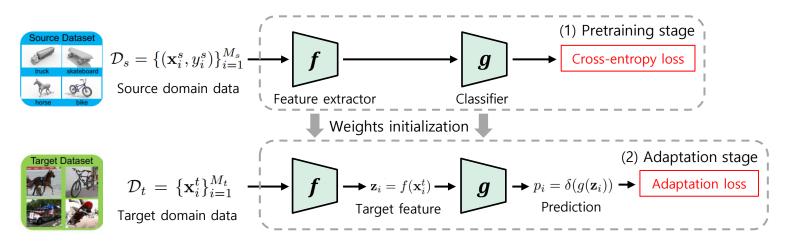
• **Domain adaptation** (DA)

- **Domain shift** or covariate shift problem deteriorates the performance of the model
- Adapting a model trained on labeled source domain data to <u>unlabeled target</u> <u>domain</u> data

e.g. Using a self-driving model trained under sunny conditions for application during **rainy days**

• **Source-free domain adaptation** (SFDA)

- Source domain data can be inaccessible or difficult to obtain
 - Cost, privacy concern, ...
- SFDA uses only a **model pretrained** on the source domain data



Data Augmentation

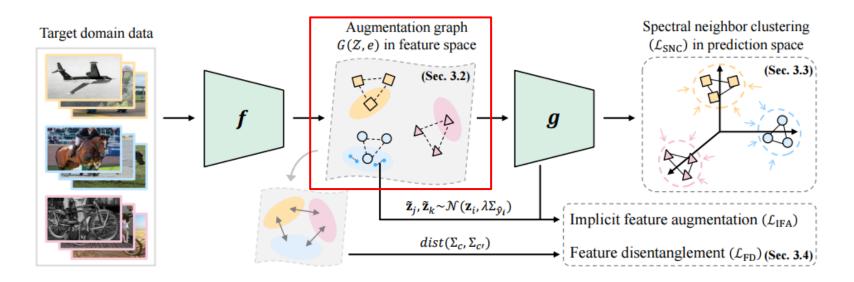
- Data augmentation (another DA)
 - Increasing the diversity of the training dataset by applying transformations
 - Improving the generalization performance of the model

- Reliance on <u>domain knowledge</u>
 - Not using <u>class-preserving</u> transformations can lead to a decrease in model performance
 - Predefined transformations require strong domain expertise

Augmentation graph on feature space

- Clustering assumption of source model
 - Target domain data that share the <u>same semantic information</u> are mapped to their <u>neighbors</u> in the feature space of the pretrained model
- Augmentation assumption of target domain data
 - Target domain data <u>sharing class semantic information</u> may have highly nonlinear functions to <u>transform each other</u>
- Population augmentation graph $G(\mathcal{Z}, e)$, where $\begin{pmatrix} \mathcal{Z} = \{ \mathbf{z} = f(\mathbf{x}^t) | \mathbf{x}^t \sim P(\mathcal{X}^t) \} \\ e_{ij} = e(\mathbf{z}_i, \mathbf{z}_j) = Pr(\mathbf{z}_j \in N_i) \end{pmatrix}$

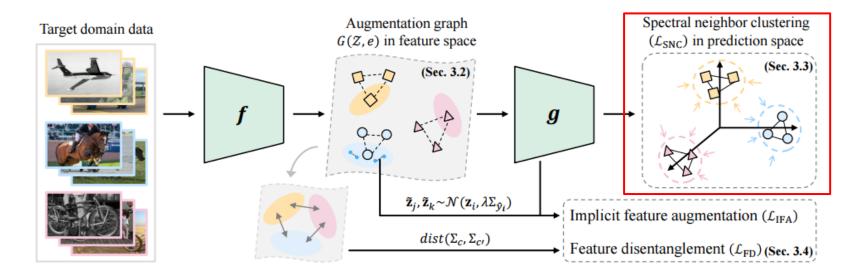
set of neighbors of
$$\mathbf{z}_i$$



Finding partition on prediction space

- We build an instance of population augmentation graph \hat{G} using target domain data
 - We consider *K*-nearest neighbors of \mathbf{z}_i , denoted by N_i^K , in the feature memory bank \mathcal{F}
- Then, we employ spectral clustering on the graph
- **Spectral neighborhood clustering (SNC)** loss on \hat{G}
 - Identify partitions in the augmentation graph

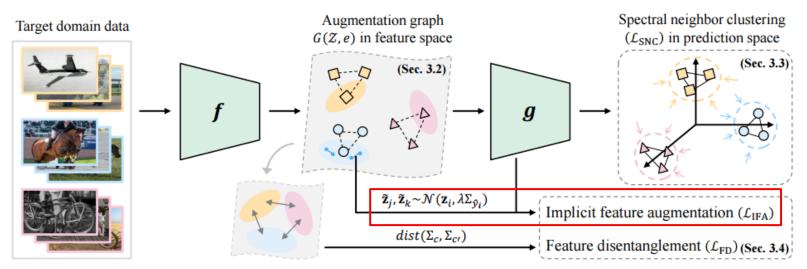
$$\mathcal{L}_{\text{SNC}}(p_i) = -\frac{2}{K} \sum_{j \in N_i^K} p_i^T p_j + \sum_{k \in B} \left(p_i^T p_k \right)^2$$



- Implicit feature augmentation (IFA)
 - We aim to Simulate the effect of an <u>unlimited number of augmented features</u>
 - With minimal computational and memory overhead
 - First, we augment target features using estim $\tilde{\mathbf{z}}_j, \tilde{\mathbf{z}}_k, \dots \sim \mathcal{N}(\mathbf{z}_i, \lambda \Sigma_{\hat{y}_i})$ covariance matrices based on pseudo-labels:
 - Then, we derive the upper bound for the expected (logarithm of) SNC loss

$$\mathcal{L}_{\text{EFA}}^{\infty}(\mathbf{z}_{i}; f, g) = \mathbb{E}_{\tilde{\mathbf{z}}_{j} \sim \mathcal{N}(\mathbf{z}_{i}, \lambda \Sigma_{i})} \left[\mathbb{E}_{\tilde{\mathbf{z}}_{k} \sim \mathcal{N}(\mathbf{z}_{i}, \lambda \Sigma_{i})} \left[-\log \tilde{p}_{j}^{T} \tilde{p}_{k} \right] \right]$$

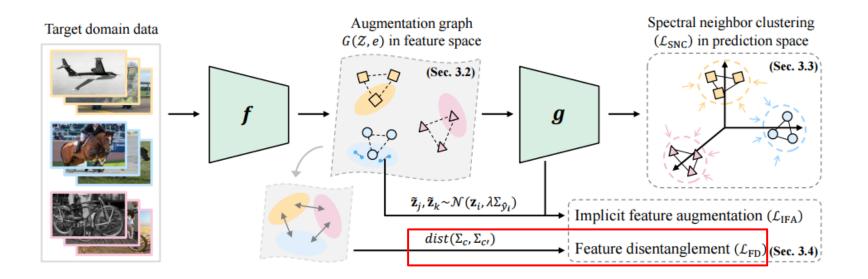
$$\leq -2 \sum_{c=1}^{C} \log \frac{\exp(g(\mathbf{z}_{i})_{c})}{\sum_{c'=1}^{C} \exp\left(g(\mathbf{z}_{i})_{c'} + \frac{\lambda}{2}(w_{c'} - w_{c})^{T} \Sigma_{\hat{y}_{i}}(w_{c'} - w_{c})\right)} = \mathcal{L}_{\text{IFA}}(\mathbf{z}_{i}, \Sigma_{\hat{y}_{i}}, g)$$



- Feature disentanglement (FD)
 - Encourage each direction in the feature space to represent different semantics
 - Maximize the <u>cosine distance</u> between covariance matrices corresponding to <u>similar classes</u>

$$\mathcal{L}_{\rm FD} = -\frac{1}{2} \sum_{i,j} a_{ij} \left(1 - \frac{\operatorname{tr}\{\Sigma_i \ \Sigma_j\}}{\|\Sigma_i\|_F \|\Sigma_j\|_F} \right)$$

$$a_{ij} = \bar{p}_i^T \bar{p}_j$$
, where $\bar{p}_c = \frac{1}{|\{i:\hat{y}_i=c\}|} \sum_{i \in \{i:\hat{y}_i=c\}} p_i$



• Final objective

$$\min_{f,g} \mathcal{L}_{\rm SNC} + \alpha_1 \mathcal{L}_{\rm IFA} + \alpha_2 \mathcal{L}_{\rm FD}$$

• Pseudo code

Algorithm 1 Adaptation procedure of SF(DA)²

Require: f and g (trained on \mathcal{D}_s), $\mathcal{D}_t = {\mathbf{x}_i^t}_{i=1}^{M_t}$

- 1: while training loss is not converged do
- 2: if epoch start then
- 3: Update a_{ij} for FD loss
- 4: **end if**
- 5: Sample batch B from \mathcal{D}_t and update \mathcal{F}, \mathcal{S}
- 6: Retrieve neighbors \mathcal{N}_i^K for each \mathbf{z}_i in B
- 7: Update f and g using SGD

8:
$$\nabla_{f,g} \mathcal{L}_{SNC} + \alpha_1 \mathcal{L}_{IFA} + \alpha_2 \mathcal{L}_{FD}$$

9: end while

• Evaluation results

Method	SF	plane	bicycle	bus	car	horse	knife	mcycl	person	plant	sktbrd	train	truck	Per-class
BSP [4]	X	92.4	61.0	81.0	57.5	89.0	80.6	90.1	77.0	84.2	77.9	82.1	38.4	75.9
SAFN [34]	×	93.6	61.3	84.1	70.6	94.1	79.0	91.8	79.6	89.9	55.6	89.0	24.4	76.1
MCC [11]	X	88.7	80.3	80.5	71.5	90.1	93.2	85.0	71.6	89.4	73.8	85.0	36.9	78.8
FixBi [19]	×	96.1	87.8	90.5	90.3	96.8	95.3	92.8	88.7	97.2	94.2	90.9	25.7	87.2
Source only [9]	-	60.9	21.6	50.9	67.6	65.8	6.3	82.2	23.2	57.3	30.6	84.6	8.0	46.6
3C-GAN [15]	1	94.8	73.4	68.8	74.8	93.1	95.4	88.6	84.7	89.1	84.7	83.5	48.1	81.6
SHOT [17]	1	94.6	87.5	80.4	59.5	92.9	95.1	83.1	80.2	90.9	89.2	85.8	56.9	83.0
NRC [35]	1	96.1	90.8	83.9	61.5	95.7	95.7	84.4	80.7	94.0	91.9	89.0	59.5	85.3
CoWA-JMDS [14]	1	96.2	90.6	84.2	75.5	96.5	97.1	88.2	85.6	94.9	93.0	89.2	53.5	87.0
AaD [37]	1	96.8	89.3	83.8	82.8	96.5	95.2	90.0	81.0	95.7	92.9	88.9	54.6	<u>87.3</u>
DaC [38]	1	96.6	86.8	86.4	78.4	96.4	96.2	93.6	83.8	96.8	95.1	89.6	50.0	<u>87.3</u>
$SF(DA)^2$	1	96.8	89.3	82.9	81.4	96.8	95.7	90.4	81.3	95.5	93.7	88.5	64.7	88.1

Table 1: Accuracy (%) on the VisDA dataset (ResNet-101).

Table 2: Accuracy (%) on 7 domain shifts of the DomainNet-126 dataset (ResNet-50).

Method	SF S→F	• C→S	$P\!\!\rightarrow\!\!C$	$P \rightarrow R$	$R {\rightarrow} S$	$R {\rightarrow} C$	$R \rightarrow P$	Avg.
MCC [11]	X 47.3	34.9	41.9	72.4	35.3	44.8	65.7	48.9
Source only 9 TENT 32 SHOT 17 AdaContrast 3 SF(DA) ²	- 50.1 ✓ 52.4 ✓ 66.1 ✓ 65.9 ✓ 67.7	60.1	53.0 57.9 66.9 68.6 67.8	75.0 67.0 80.8 80.5 83.5	46.3 54.0 59.9 61.5 60.2	55.5 58.5 67.7 70.2 68.8	62.7 65.7 68.4 69.8 70.5	55.6 57.7 67.1 <u>67.8</u> 68.3

Experiments

- Imbalanced dataset
 - VisDA-RSUT
 - Labels of source domain and target domain have opposite long-tail distributions

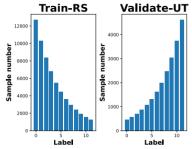
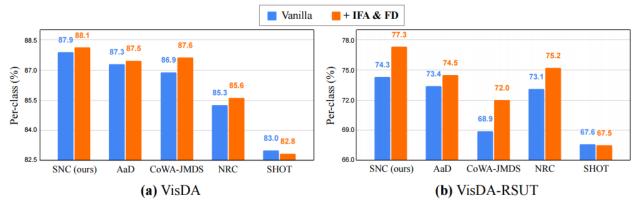


Table 4: Accuracy (%) on the VisDA-RSUT dataset (ResNet-101).

Method	SF	plane	bicycle	bus	car	horse	knife	mcycl	person	plant	sktbrd	train	truck	Per-class
DANN [7]	X	71.7	35.7	58.5	21.0	80.9	73.0	45.7	23.7	12.2	4.3	1.5	0.9	35.8
BSP [4]	X	100.0	57.1	68.9	56.8	83.7	26.7	78.7	16.2	63.7	1.9	0.1	0.1	46.2
MCD [26]	×	63.0	41.4	84.0	67.3	86.6	93.9	85.6	76.3	84.1	11.3	5.0	3.0	58.5
Source only [9]	-	79.7	15.7	40.6	77.2	66.8	11.1	85.1	12.9	48.3	14.3	64.6	3.3	43.3
SHOT [17]	1	86.2	48.1	77.0	62.8	92.0	66.2	90.7	61.3	76.9	73.5	67.2	9.1	67.6
CoWA-JMDS [14]	1	63.8	32.9	69.5	59.9	93.2	95.4	92.3	69.4	85.1	68.4	64.9	32.3	68.9
NRC [35]	1	86.2	47.6	66.7	68.1	94.7	76.6	93.7	63.6	87.3	89.0	83.6	20.5	73.1
AaD [37]	1	73.9	33.3	56.6	71.4	90.1	97.0	91.9	70.8	88.1	87.2	81.2	39.4	<u>73.4</u>
$SF(DA)^2$	1	79.0	43.3	73.6	74.7	92.8	98.3	93.4	79.1	90.1	87.5	81.1	34.2	77.3

• The proposed IFA loss significantly improves the performance of existing methodologies as well as SNC in imbalanced SFDA



Thank you!

• TL;DR

 a novel SFDA method that leverages intuitions derived from data augmentation

• Summary

- Provide a fresh perspective on SFDA by interpreting it through the lens of data augmentation
- Propose the <u>spectral neighborhood clustering (SNC)</u> loss and derive the <u>implicit feature augmentation (IFA)</u> using the augmentation graph in the feature space
- Outperform existing methods under SFDA settings, especially with imbalanced classes
- More details can be found in our paper and code!