



# ICLR

International Conference On  
Learning Representations

# A Graph is Worth 1-bit Spikes: When Graph Contrastive Learning Meets Spiking Neural Networks

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<https://github.com/EdisonLeeeee/SpikeGCL>

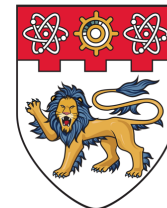


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GROUP



NANYANG  
TECHNOLOGICAL  
UNIVERSITY  
SINGAPORE

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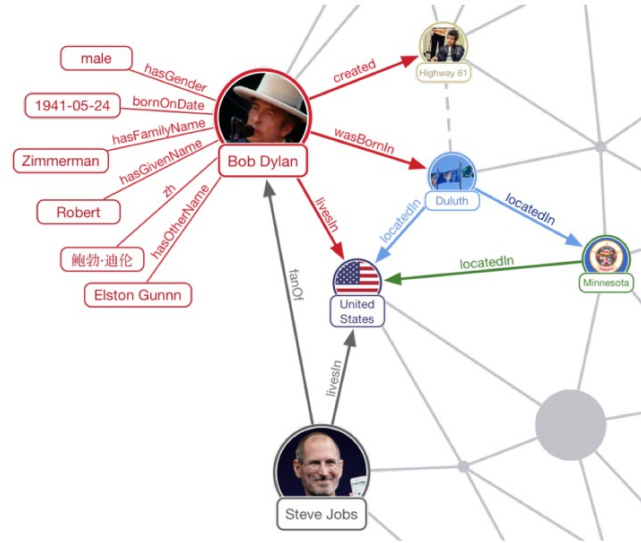


# BACKGROUND Graphs & Graph Neural Networks

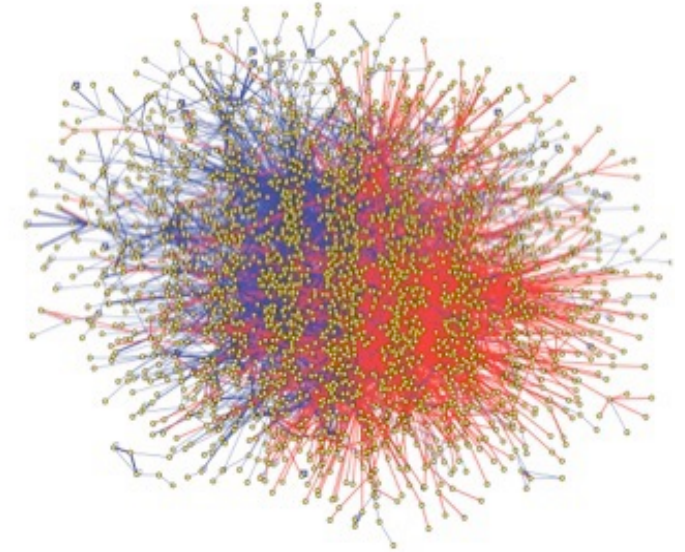
Networks are everywhere - Graphs are natural way to model such networks



Social Networks



Knowledge Graph



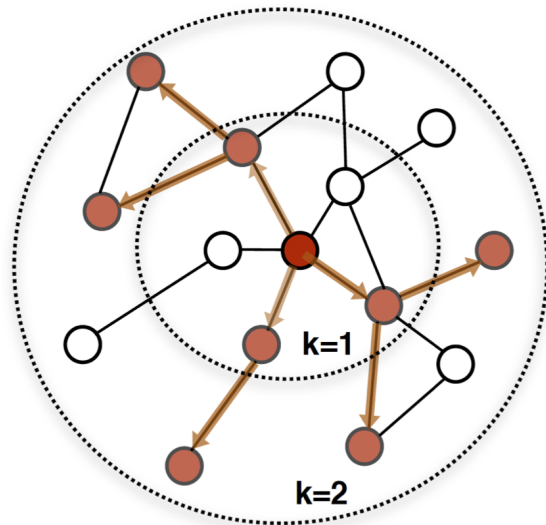
Protein-Protein  
Interaction Networks



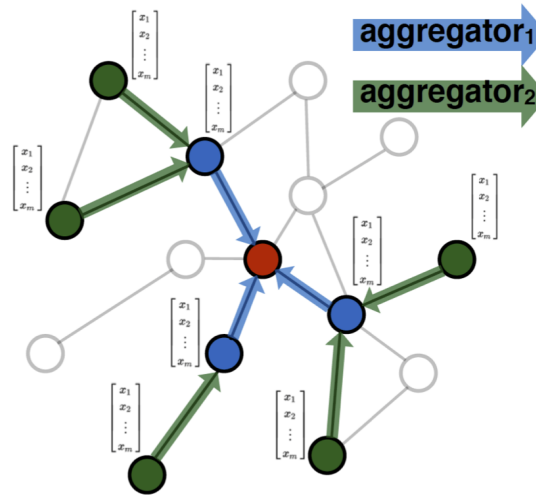
# BACKGROUND Graphs & Graph Neural Networks

## Graph Neural Networks (GNNs)

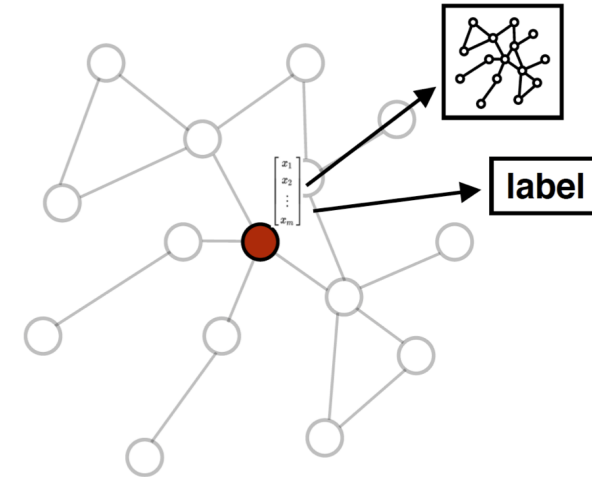
- ❑ Message and Aggregation Scheme
- ❑ Compress a set of vectors into a single vector (i.e., node representation)



1. Sample neighborhood



2. Aggregate feature information from neighbors



3. Predict graph context and label using aggregated information

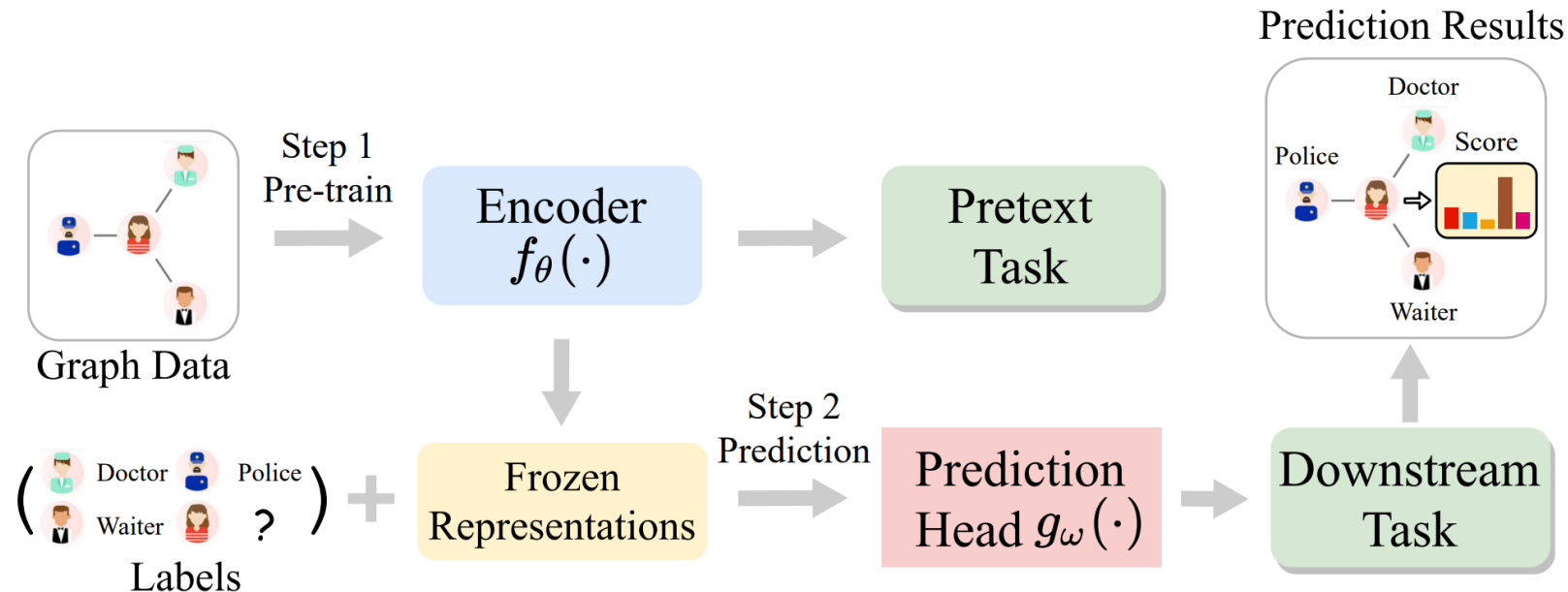
Hamilton, Will, Zhitao Ying, and Jure Leskovec. "Inductive representation learning on large graphs." Advances in neural information processing systems 30 (2017)



# BACKGROUND Graph Self-supervised Learning

## Graph Self-supervised Learning

- ❑ **GNN** → training with self-defined **pretext task** → encoder  $f_\theta$
- ❑ Encoder  $f_\theta$  → **representations** → generalize to other **downstream tasks**



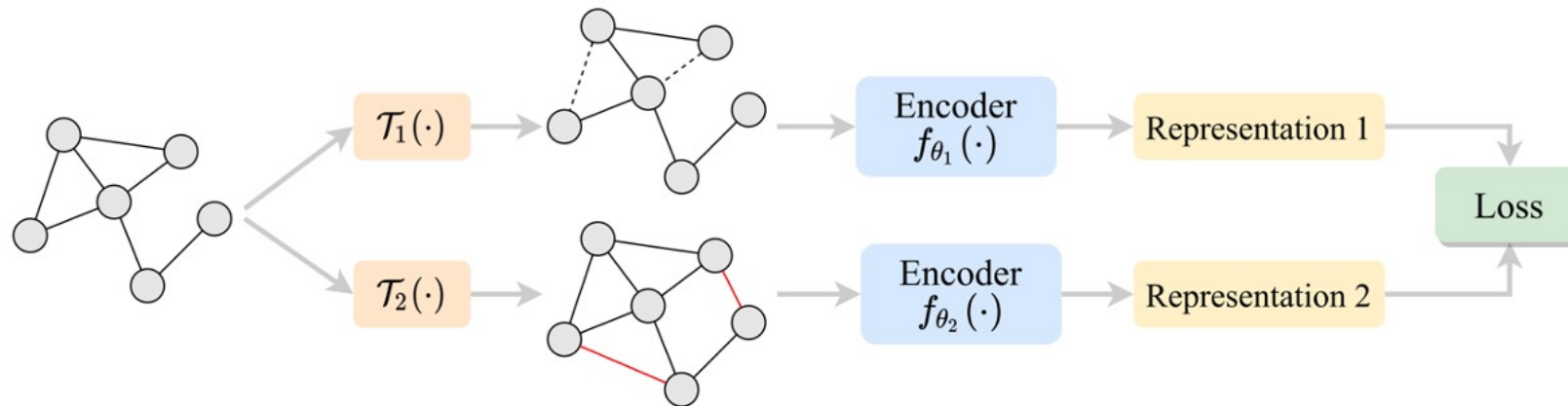
Lirong, Wu et al. "Self-supervised Learning on Graphs: Contrastive, Generative, or Predictive." IEEE Trans. on Knowl. and Data Eng. 35, 4 (April 2023), 4216–4235.



# BACKGROUND Graph Self-supervised Learning

## Graph Contrastive Learning

- ❑ **Augmentation**: graph data augmentation for different graph views
- ❑ **Contrasting**: maximize the agreement of two graph views
- ❑ **Augmentation** → **Encoder  $f_{\theta}$**  → **representations** → **Contrasting**



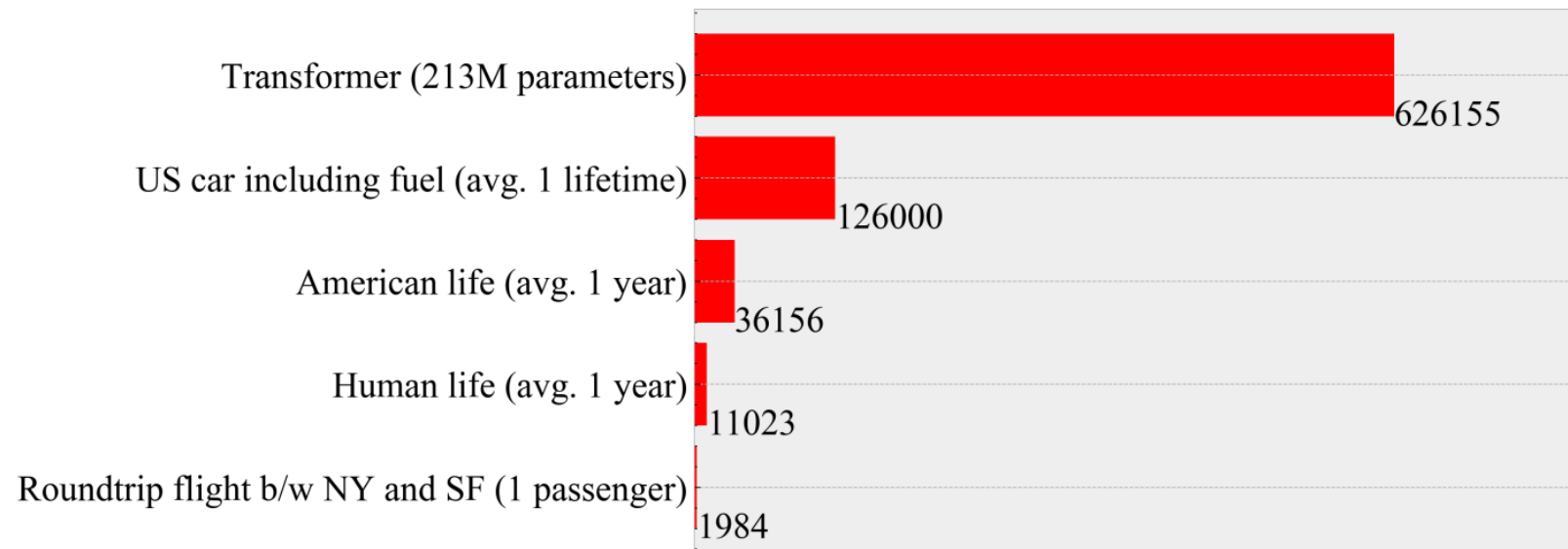
Lirong, Wu et al. "Self-supervised Learning on Graphs: Contrastive, Generative, or Predictive." IEEE Trans. on Knowl. and Data Eng. 35, 4 (April 2023), 4216–4235.



# BACKGROUND Spiking Neural Network

## Green AI: How Far are We?

- ❑ CO2 emissions: A Transformers with 213M parameters  $\approx$  60x Human life
- ❑ Next-generation efficient neural networks -> **spiking neural networks (SNN)**



Strubell E, Ganesh A, McCallum A. Energy and policy considerations for deep learning in NLP[J]. arXiv preprint arXiv:1906.02243, 2019.

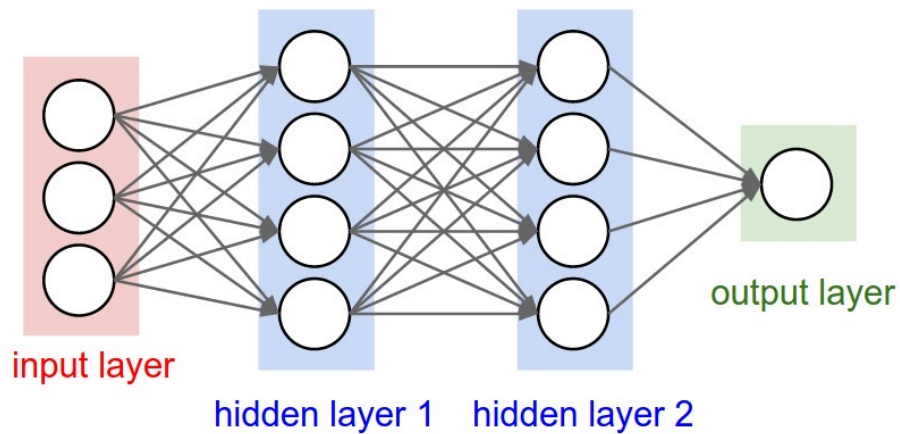


# BACKGROUND Spiking Neural Network

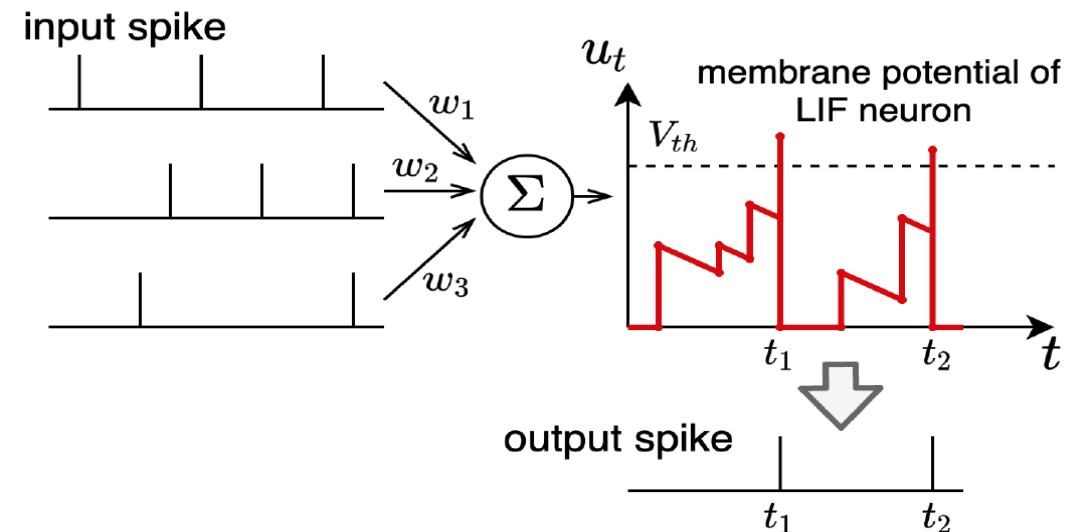
## Spiking Neural Networks

❑ **ANN** (Artificial Neural Network) → Information is typically represented as **continuous values** in the activations of neurons and the weights of connections 0.4

❑ **SNN** (Spiking Neural Network) → Information is represented as **discrete spikes** of activity over time. The timing and frequency of spikes encode information in an SNN 0, 0, 1, 1, 0 → 0.4



ANN



SNN

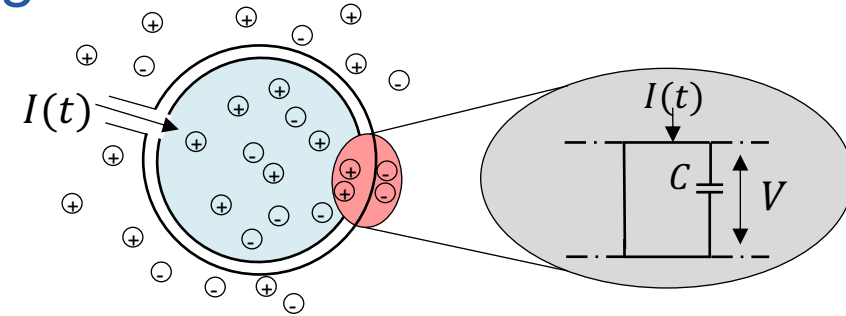




# BACKGROUND Spiking Neural Network

## Spiking Neurons as Capacitor

- ❑ Spiking neurons act as a **capacitor** that stores charge over time
- ❑ It assumes ideally that there was **no static power leakage**



charge

$$Q = VC$$

voltage

capacitance



$$\frac{dQ}{dt} = \frac{dV}{dt} C$$



current

$$I(t) = \frac{dV}{dt} C$$



# BACKGROUND Spiking Neural Network

## Spiking Neurons

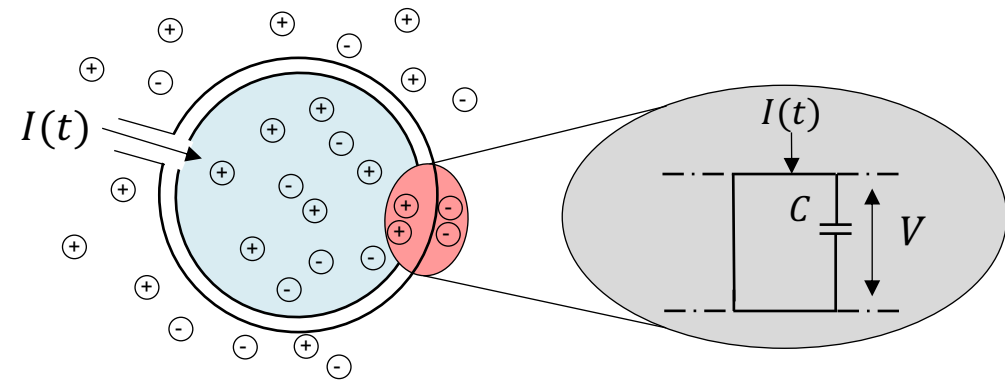
- Integrate-and-fire (IF): the most simple and common spiking neuron

$$I(t) = \frac{dV}{dt} C$$



Pre-synaptic input

$$\frac{dV}{dt} = I(t)$$



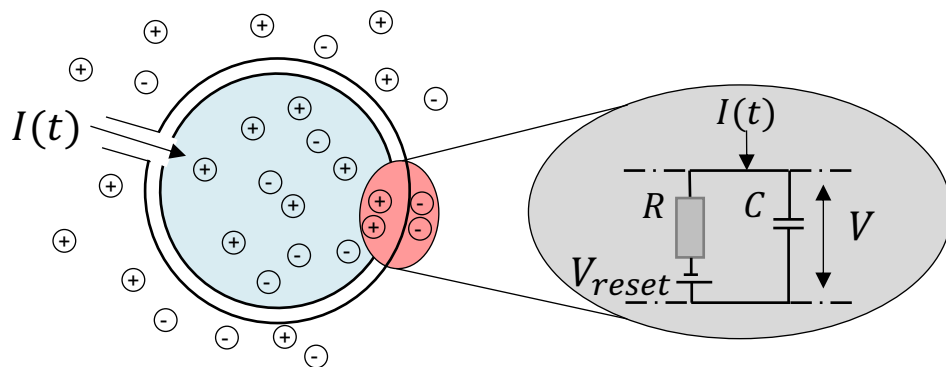
Integrate-and-fire (IF) Neuron



# BACKGROUND Spiking Neural Network

## Spiking Neurons

- Integrate-and-fire (IF): the most simple and common spiking neuron
- Leaky Integrate-and-fire (**LIF**): an additional leaky term for which membrane potential charges and discharges exponentially
- Parametric Leaky Integrate-and-fire (**PLIF**): the leaky term is trainable



$$\tau_m \frac{dV}{dt} = -\left( V - V_{\text{reset}} \right) + I(t)$$

Membrane voltage      Pre-synaptic input

Leaky term      Reset level

Leaky integrate-and-fire (LIF) Neuron



# BACKGROUND Spiking Neural Network

## How SNNs Work?

- Fundamental characteristics: **Integrate**, **Fire**, and **Reset**
- Different spiking neurons have different integrate behaviors
- The reset mechanism can also be different

### 1. Integrate

$$V^t = V^{t-1} + I^t$$

IF

$$V^t = V^{t-1} + \frac{1}{\tau_m} (I^t - (V^{t-1} - V_{\text{reset}}))$$

LIF or PLIF

### 2. Fire (output)

$$S^t = \begin{cases} 1, & V^t \geq V_{\text{th}} \\ 0, & V^t < V_{\text{th}} \end{cases} \rightarrow \text{threshold}$$

### 3. Reset

$$V^t = \begin{cases} V^t, & S^t = 0 \\ V_{\text{reset}}, & S^t = 1 \end{cases} \quad \text{Reset to zero}$$

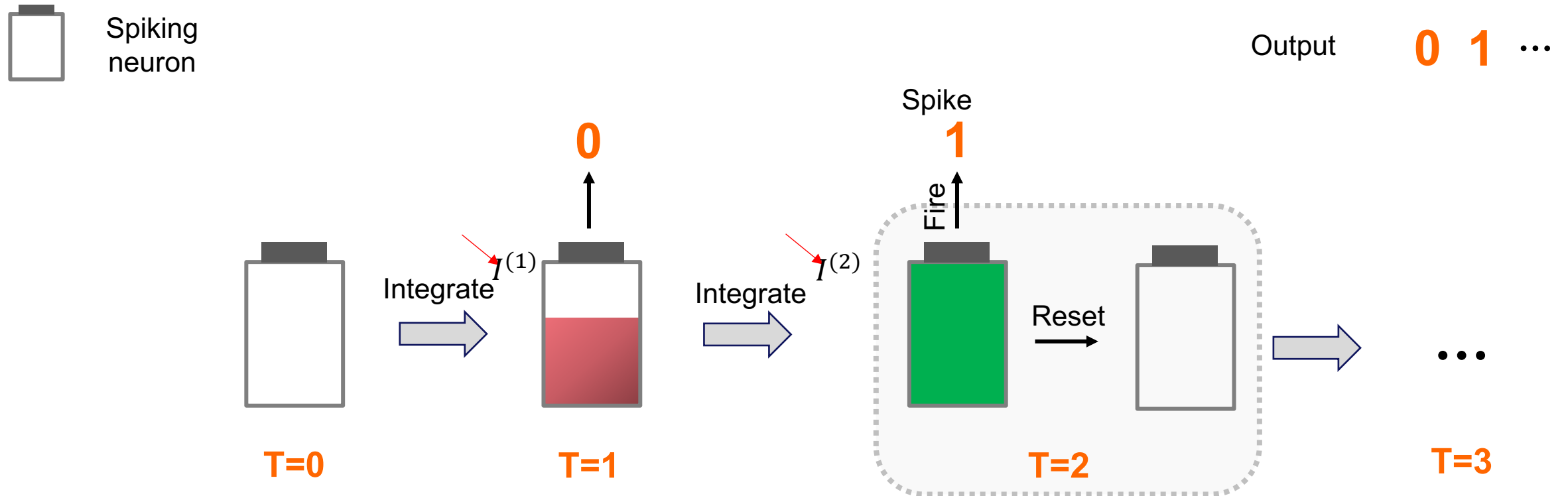
$$V^t = \begin{cases} V^t, & S^t = 0 \\ V^t - V_{\text{th}}, & S^t = 1 \end{cases} \quad \text{Reset by subtraction}$$



# BACKGROUND Spiking Neural Network

## How SNNs Work?

- An simple illustration of the **charging** behavior in each spiking neuron



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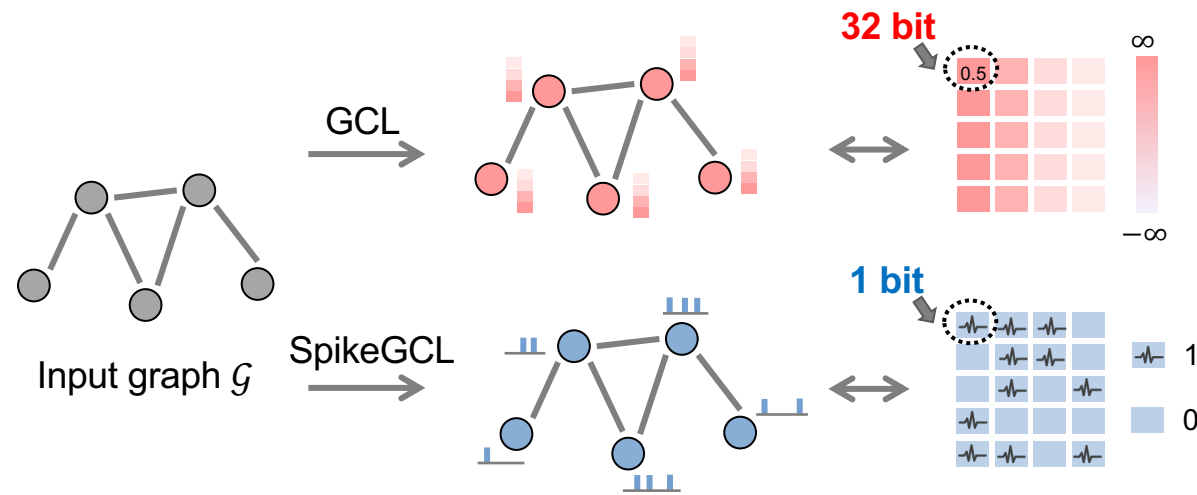
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# MOTIVATION

🤔 Can we explore the possibilities of SNNs with contrastive learning schemes to learn **sparse, binarized** yet **generalizable** representations?





## METHOD Spiking Graph Contrastive Learning (**SpikeGCL**)

Incorporating spiking neural networks to graph contrastive learning -> SpikeGCL

**SNN** + **GCL** = **SpikeGCL**

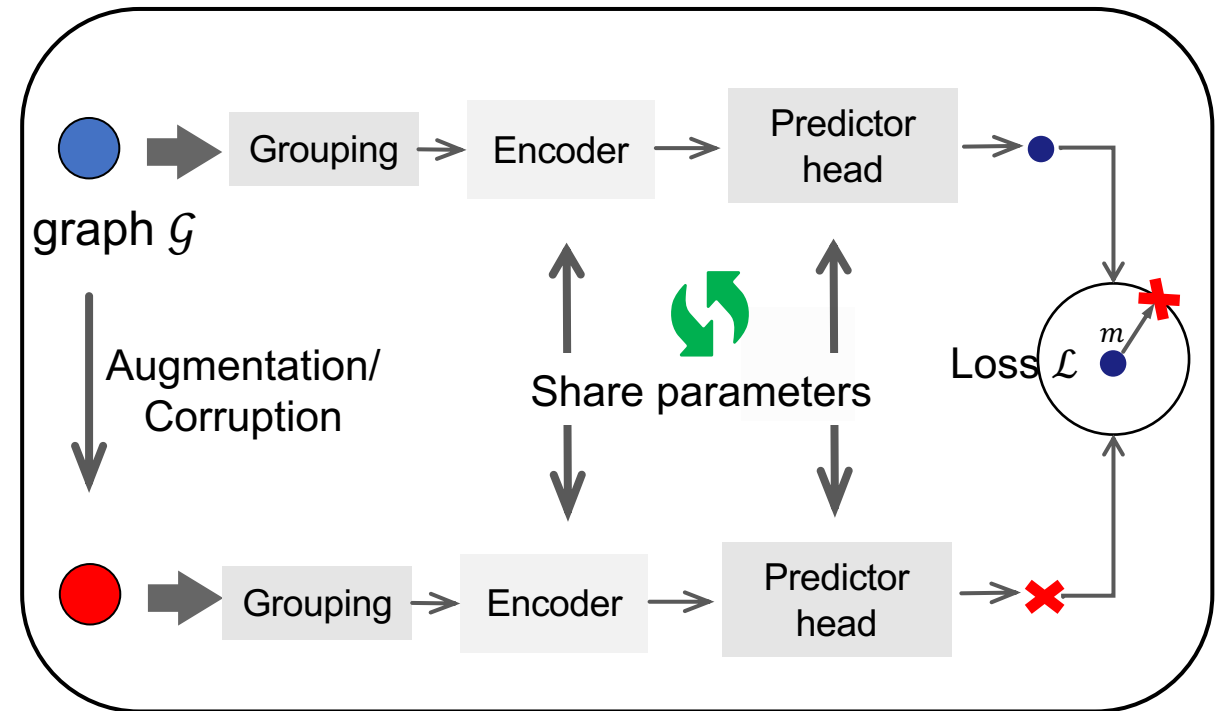




# METHOD Spiking Graph Contrastive Learning (SpikeGCL)

## Overall Framework

- ❑ Step1: Augmentation/corruption
- ❑ Step2: **Grouping** + Encoding
- ❑ Step3: Decoding
- ❑ Step4: Contrasting

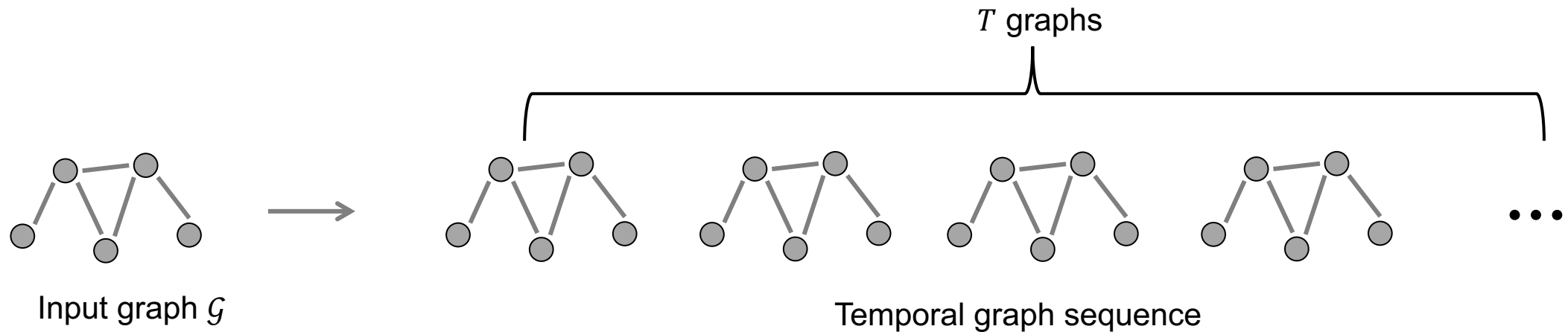




# METHOD Spiking Graph Contrastive Learning (SpikeGCL)

Why do we need **Grouping**? 🤔

- ❑ SNNs are **temporal models** that require **sequential inputs**
- ❑ **Challenge**: how to formulate such inputs from a non-temporal graph?
- ❑ **Existing works**: repeat input graph multiple times w/ or w/o augmentations  
(SpikingGCN, GC-SNN, GA-SNN, ...)

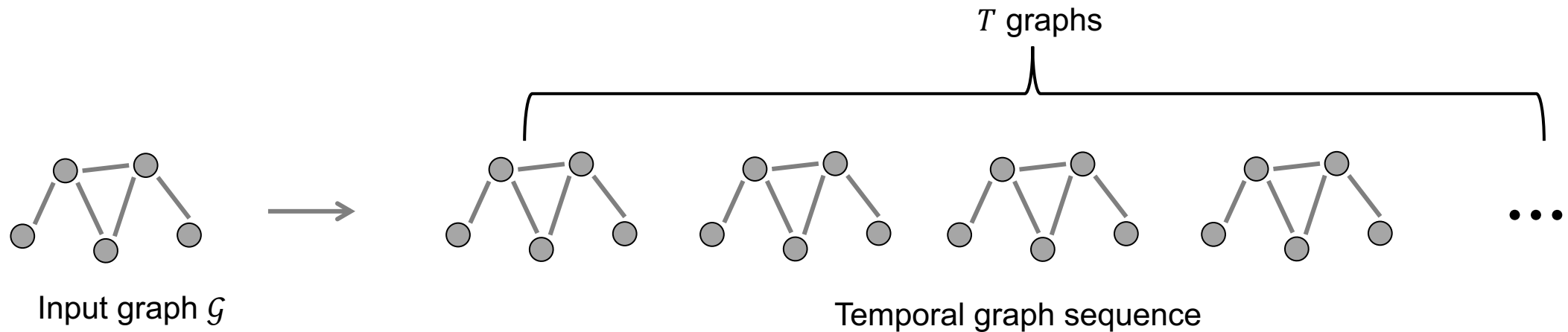




## METHOD Spiking Graph Contrastive Learning (SpikeGCL)

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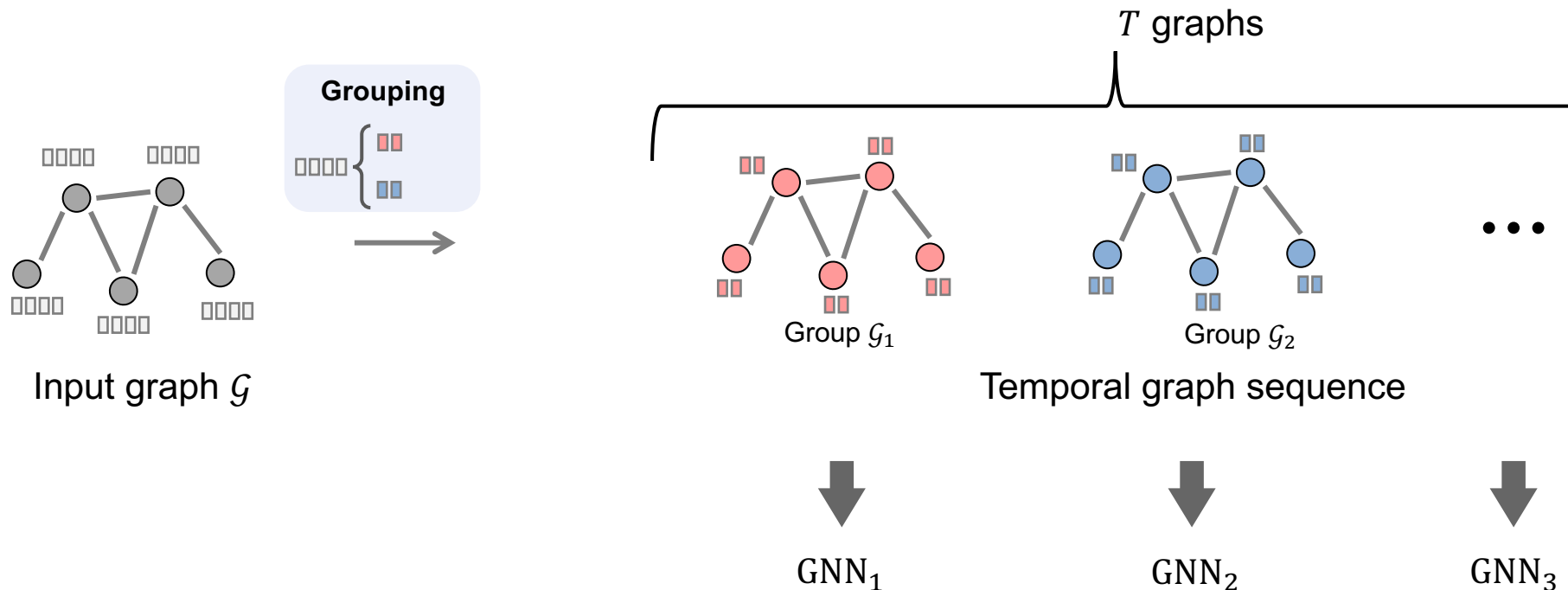
High computational and memory overhead, almost  $T$  times that of GNNs



# METHOD Spiking Graph Contrastive Learning (SpikeGCL)

Why do we need **Grouping**? 🤔

- ❑ **Partition** the node features into  $T$  groups, rather than **repeating** the graphs
- ❑ Each group of features is paired with a **GNN** network

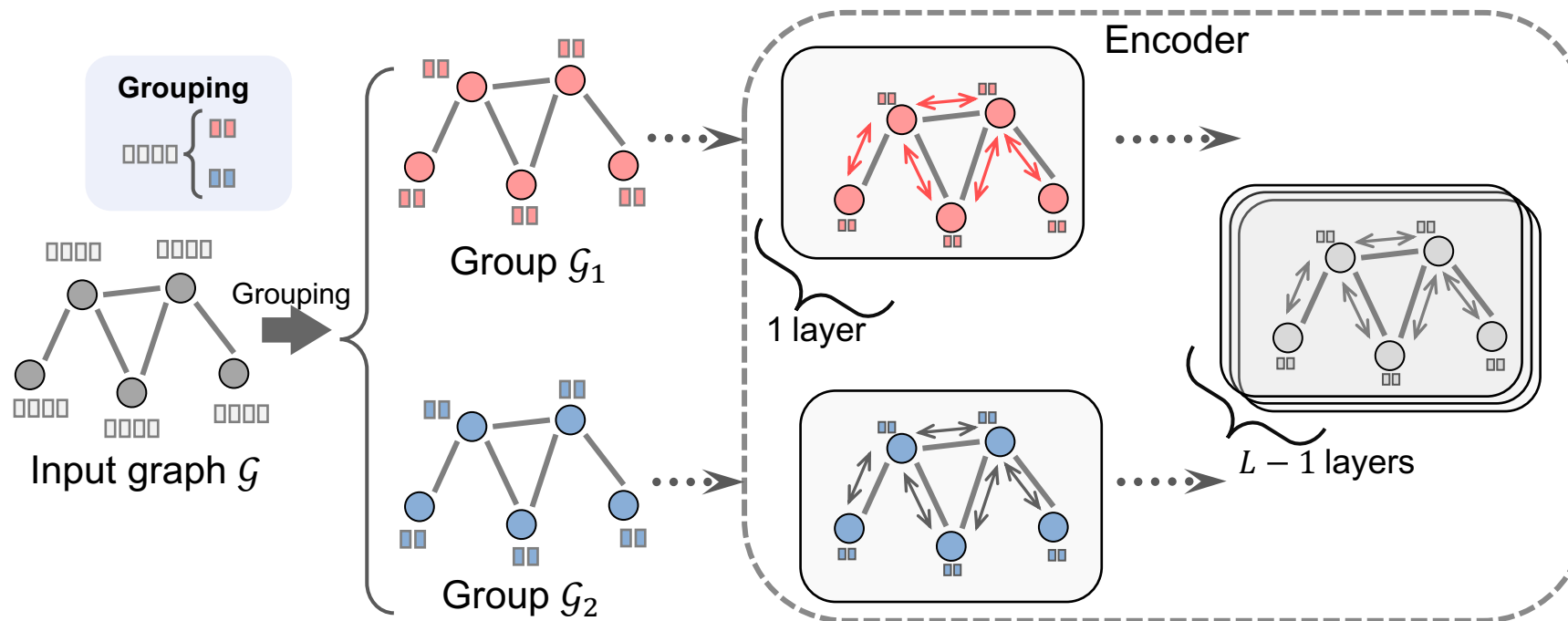




# METHOD Spiking Graph Contrastive Learning (SpikeGCL)

## SpikeGCL encoding

- ❑ Only **the first layer** is different in response to diverse groups of features
- ❑ Parameters of the remaining  **$L-1$  layers** of the peer GNNs are shared together
- ❑ The overall complexity is **almost equivalent** to a regular GNN

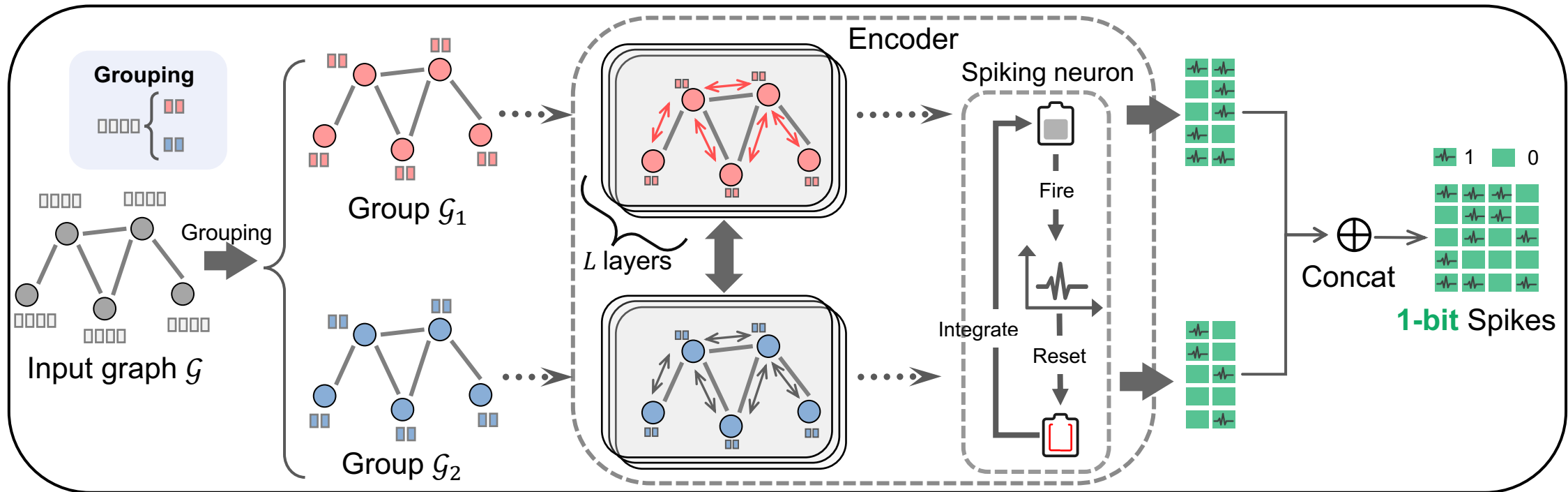




# METHOD Spiking Graph Contrastive Learning (SpikeGCL)

## SpikeGCL encoding

- ❑ A **spiking neuron** is used to output spikes
- ❑ Grouping  $\rightarrow$  Encoding  $\rightarrow$  Spiking

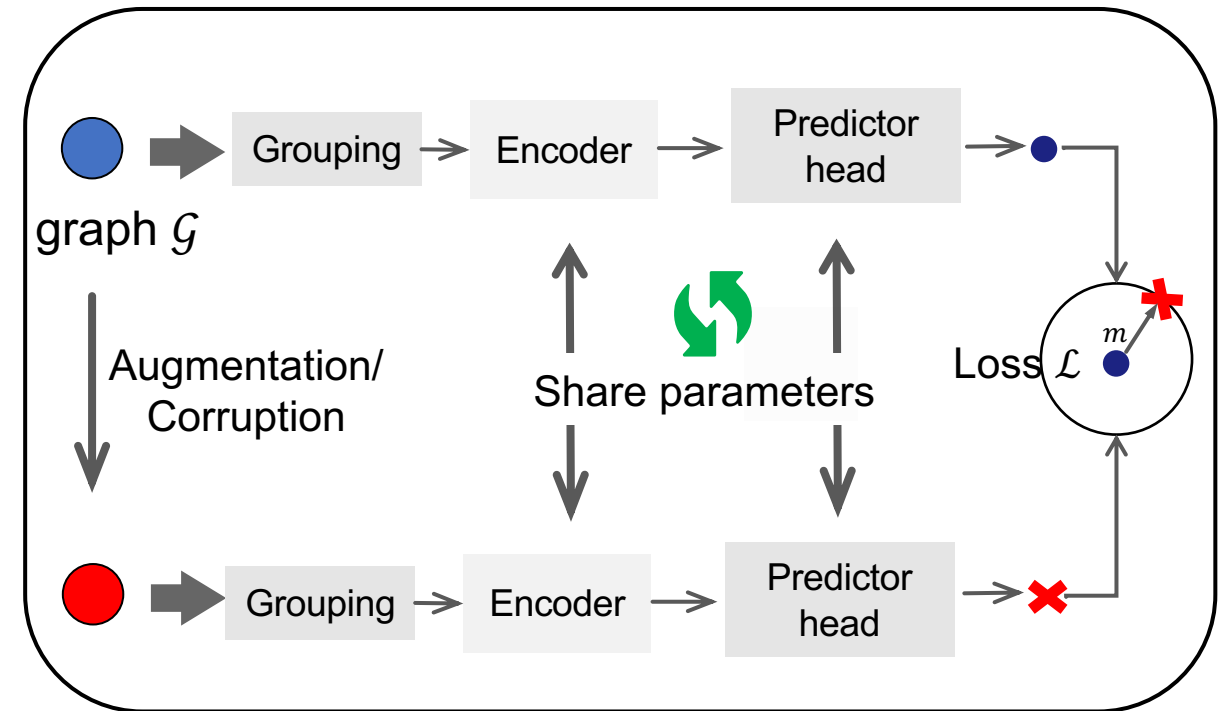




# METHOD Spiking Graph Contrastive Learning (SpikeGCL)

## Overall Framework

- ❑ Step1: Augmentation/corruption
- ❑ Step2: **Grouping** + Encoding
- ❑ Step3: Decoding
- ❑ Step4: Contrasting





# METHOD Spiking Graph Contrastive Learning (**SpikeGCL**)

## Augmentation

- ❑ Edge dropping & feature shuffling
- ❑ **Edge dropping**: randomly drops a subset of edges from the original graph
- ❑ **Feature shuffling**: gives a new **permutation** of the node feature matrix along the **feature dimension**







## METHOD Spiking Graph Contrastive Learning (SpikeGCL)

### Decoding + Contrasting

- ❑ An MLP  $g_\varphi$  is used as the predictor to decode the binary representations to continuous ones
- ❑ **Contrastive learning objective**: margin ranking loss

$$\mathcal{J} = \frac{1}{N} \sum \max(0, \overset{\text{MLP predictor}}{\boxed{g_\varphi}}(\underset{\text{Spikes (positive)}}{\boxed{z_u}}) - \underset{\text{Spikes (negative)}}{\boxed{z_u^-}} + \overset{\text{Margin}}{\boxed{m}})$$

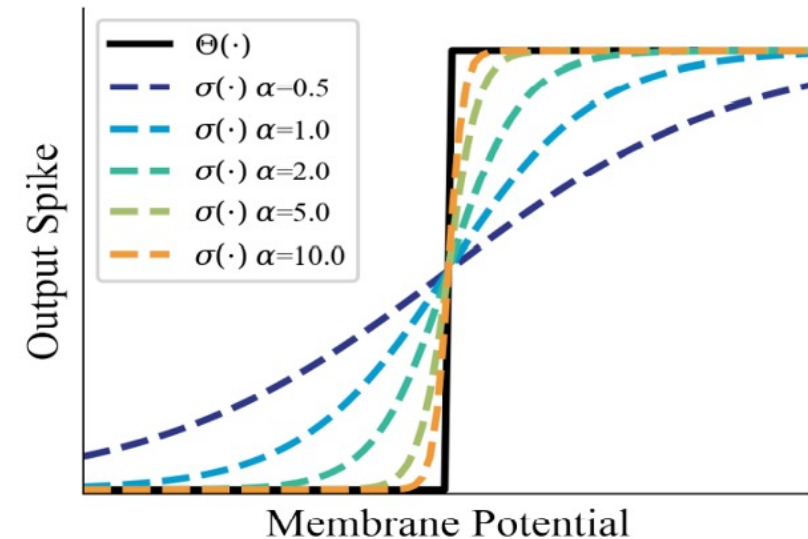


# METHOD Spiking Graph Contrastive Learning (SpikeGCL)

## Blockwise training

- ❑ Directly training SNNs using gradient descent is non-trivial
- ❑ Surrogate gradient learning is a viable solution, but it also has limitations
- ❑ Surrogate functions -> **vanishing gradient**
- ❑ SNNs requires relatively large time steps -> **high overheads**

$$\Theta(x) = \begin{cases} 1, & x \geq 0 \\ 0, & x < 0 \end{cases} \approx \sigma(\alpha x) = 1/(1 + \exp(-\alpha x))$$

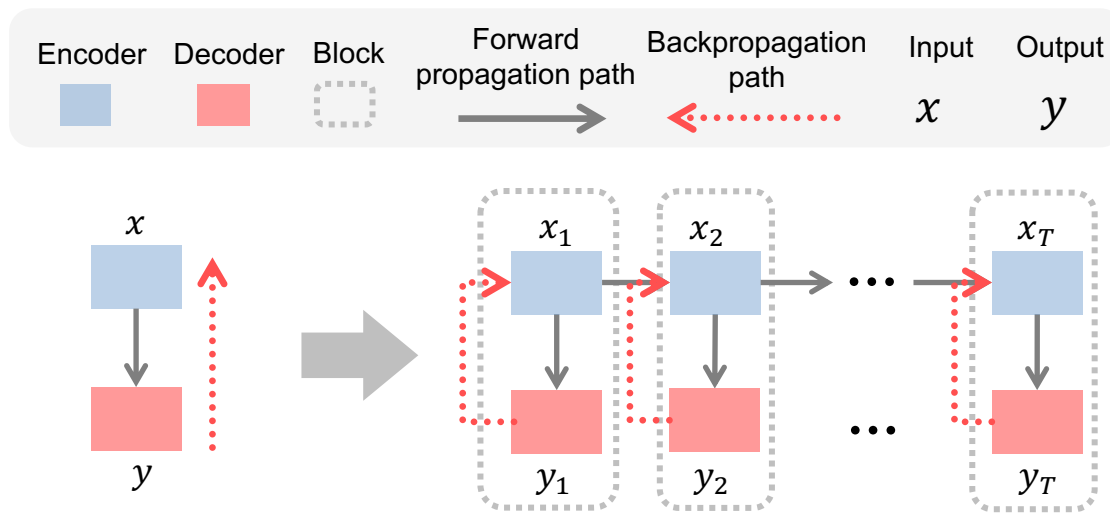




# METHOD Spiking Graph Contrastive Learning (SpikeGCL)

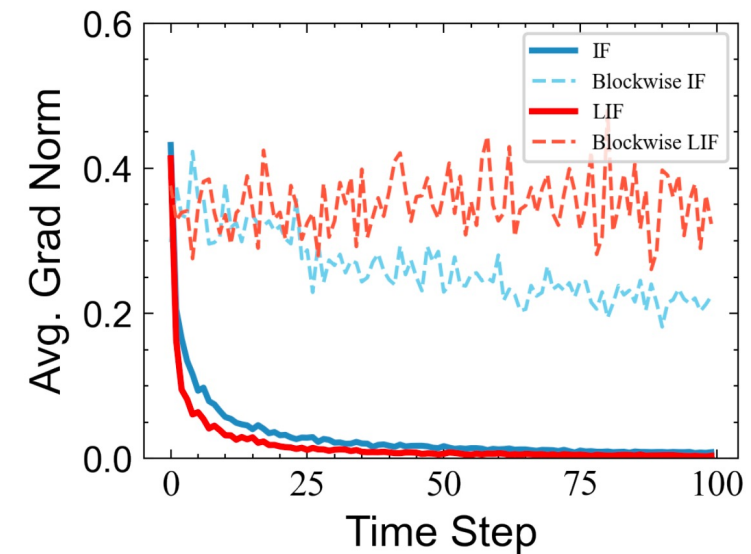
## Blockwise training

- ❑ One or more **consecutive time steps** as a single block, and limit the length of the **backpropagation path** to each of these blocks
- ❑ Parameters within each block are optimized **locally** with a contrastive objective



(a) End-to-end backpropagation

(b) Blockwise backpropagation



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**SpikeGCL** is able to approximate a full-precision GNN with a relatively large time step  $T$

**Theorem 1** (Informal). For any full-precision GNN with a hidden dimension of  $d/T$ , there exists a corresponding SpikeGCL such that its approximation error, defined as the  $\ell_2$  distance between the firing rates of the SpikeGCL representation and the GNN representation at any single node, is of the order  $\Theta(1/T)$ .

Detailed Proof -> [Appendix A](#)

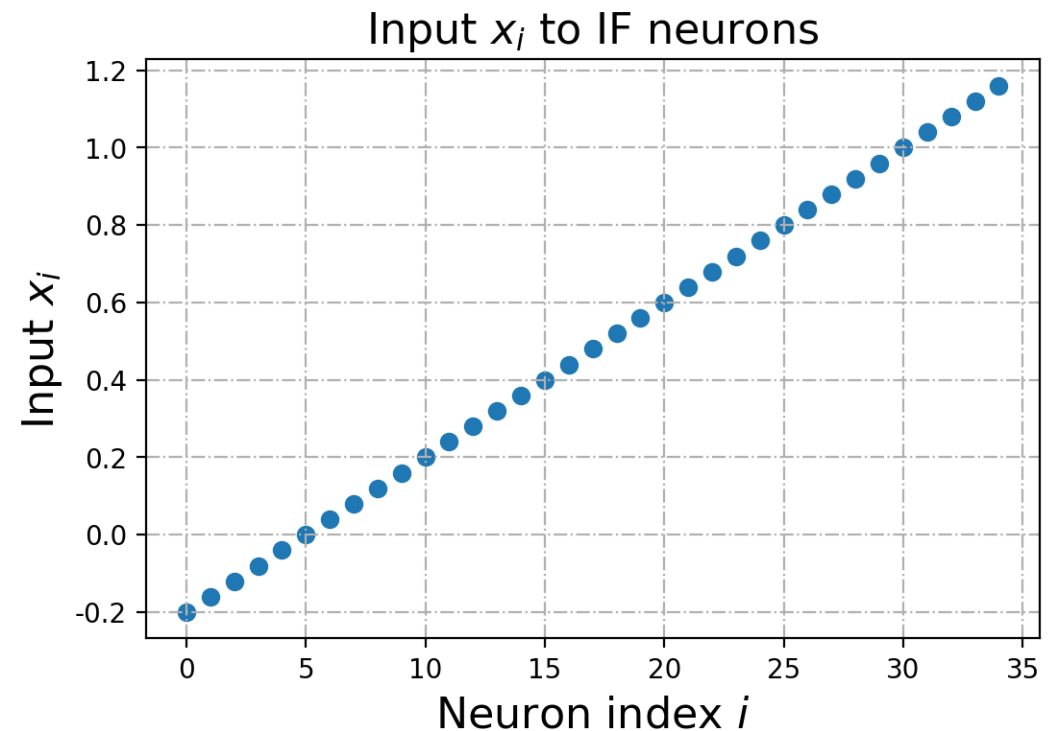


# THEORETICAL INSIGHTS

A Toy Example: How an IF neuron approximates the ReLU activation

Generate random inputs:

```
x = torch.arange(-0.2, 1.2, 0.04)
```



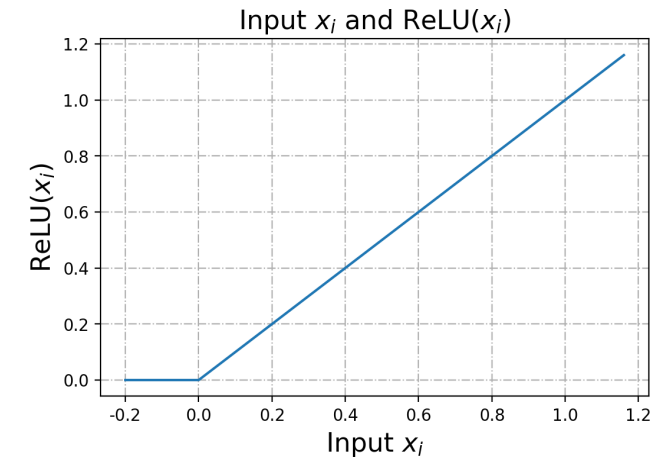


# THEORETICAL INSIGHTS

A Toy Example: How an IF neuron approximates the ReLU activation

Output of ReLU:

$$\text{ReLU}(x) = \max(x, 0)$$



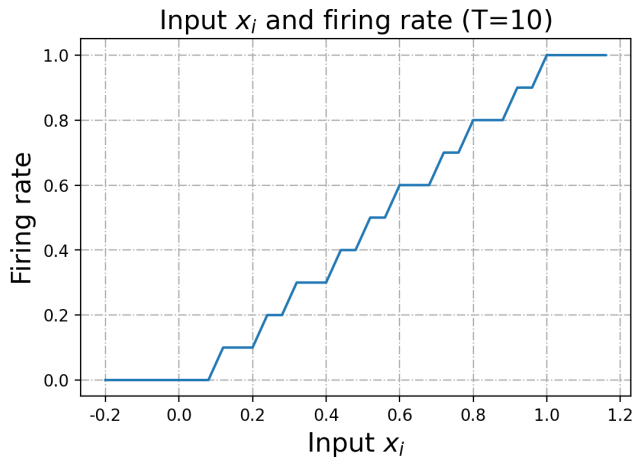
ReLU



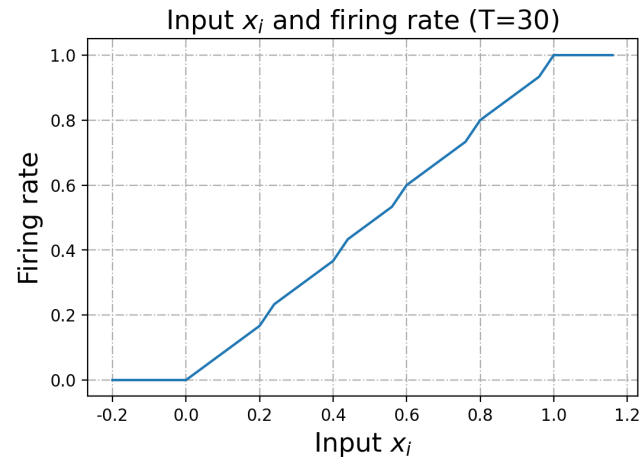
# THEORETICAL INSIGHTS

A Toy Example: How an IF neuron approximates the ReLU activation

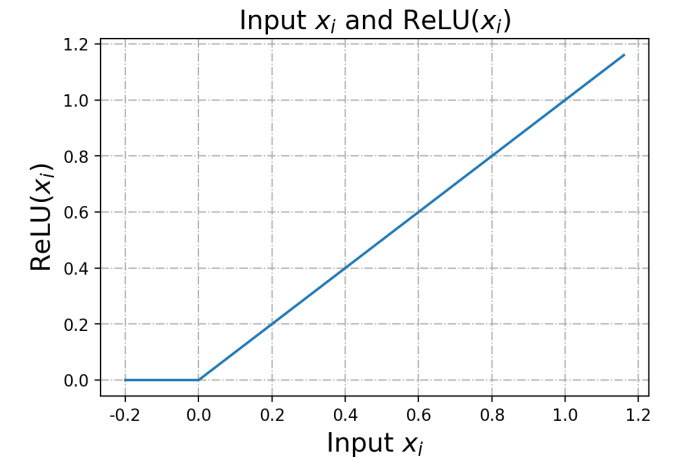
$$\text{Firing rate of IF} = \frac{\# \text{ spikes}}{t}$$



T=10



T=30



ReLU



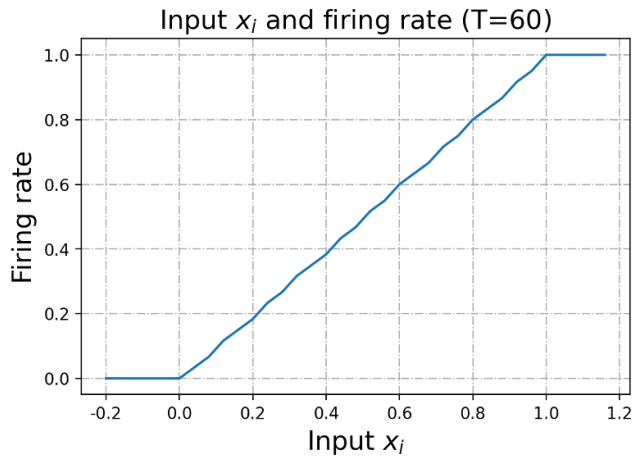


# THEORETICAL INSIGHTS

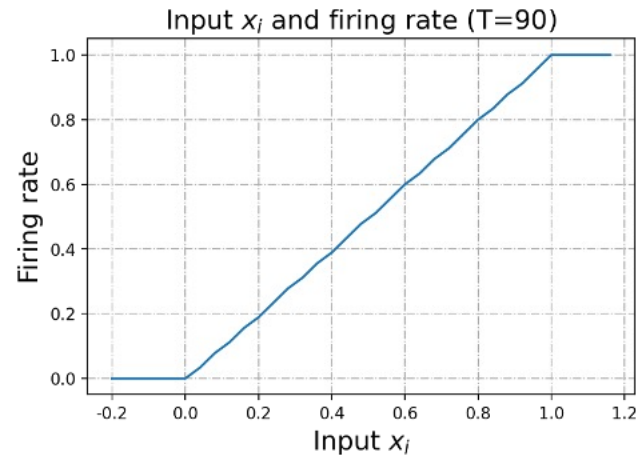
A Toy Example: How an IF neuron approximates the ReLU activation

$$\text{Firing rate of IF} = \frac{\# \text{ spikes}}{t}$$

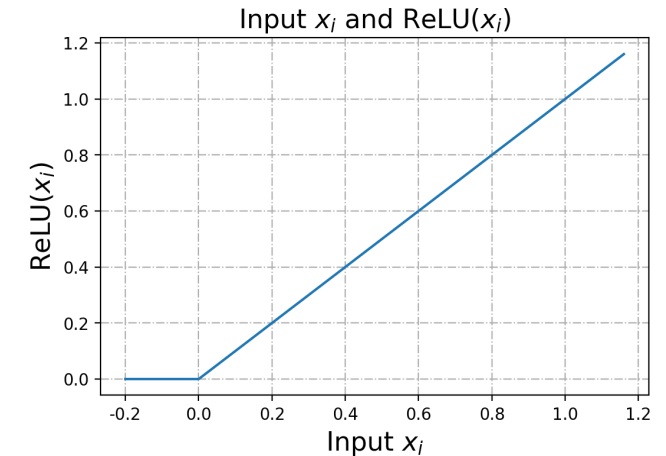
A larger T leads to a better approximation of ReLU



T=60



T=90



ReLU


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# Experiment Setup

- 9 real-world graph datasets 
- Node classification task with ACC as the metric
- Supervised and self-supervised baselines, including **binarized**, **full-precision**, and **spike-based** methods
- SpikeGCL is a **self-supervised**, **binarized**, and **spike-based** method

	<b>Computers</b>	<b>Photo</b>	<b>CS</b>	<b>Physics</b>	<b>Cora</b>	<b>CiteSeer</b>	<b>PubMed</b>	<b>arXiv</b>	<b>MAG</b>
<b>#Nodes</b>	13,752	7,650	18,333	34,493	2,708	3,327	19,717	16,9343	736,389
<b>#Edges</b>	491,722	238,162	163,788	495,924	10,556	9,104	88,648	2,315,598	10,792,672
<b>#Features</b>	767	745	6,805	8,415	1,433	3,703	500	128	128
<b>#Classes</b>	10	8	15	5	7	6	3	40	349
<b>Density</b>	0.144%	0.082%	0.023%	0.407%	0.260%	0.049%	0.042%	0.008%	0.002%



# RESULTS Node Classification

**U**: unsupervised or self-supervised; **S**: spike-based; **B**: binarized

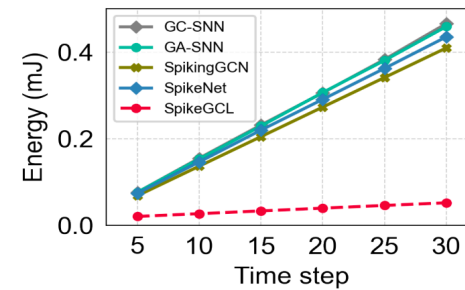
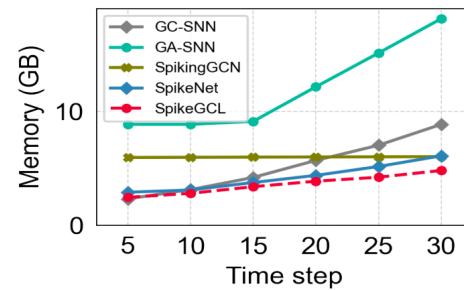
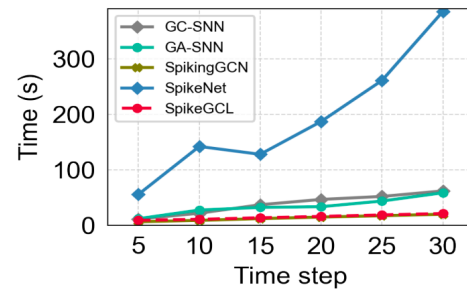
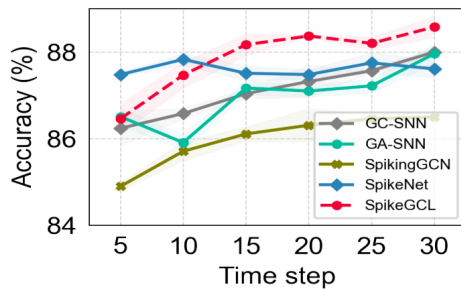
	U	S	B	Computers	Photo	CS	Physics	arXiv	MAG
GCN Kipf & Welling (2016)				86.5 $\pm$ 0.5	92.4 $\pm$ 0.2	92.5 $\pm$ 0.4	95.7 $\pm$ 0.5	70.4 $\pm$ 0.3	30.1 $\pm$ 0.3
GAT Veličković et al. (2018)				86.9 $\pm$ 0.2	92.5 $\pm$ 0.3	92.3 $\pm$ 0.2	95.4 $\pm$ 0.3	70.6 $\pm$ 0.3	30.5 $\pm$ 0.3
SpikeNet Li et al. (2023b)		✓		88.0 $\pm$ 0.7	92.9 $\pm$ 0.1	<b>93.4<math>\pm</math>0.2</b>	<b>95.8<math>\pm</math>0.7</b>	66.8 $\pm$ 0.1	-
SpikingGCN Zhu et al. (2022)		✓		86.9 $\pm$ 0.3	92.6 $\pm$ 0.7	92.6 $\pm$ 0.3	94.3 $\pm$ 0.1	55.8 $\pm$ 0.7	-
GC-SNN Xu et al. (2021)		✓		88.2 $\pm$ 0.6	92.8 $\pm$ 0.1	93.0 $\pm$ 0.4	95.6 $\pm$ 0.7	-	-
GA-SNN Xu et al. (2021)		✓		88.1 $\pm$ 0.1	<b>93.5<math>\pm</math>0.6</b>	92.2 $\pm$ 0.1	95.8 $\pm$ 0.5	-	-
Bi-GCN Wang et al. (2021)			✓	86.4 $\pm$ 0.3	92.1 $\pm$ 0.9	91.0 $\pm$ 0.7	93.3 $\pm$ 1.1	66.0 $\pm$ 0.8	28.2 $\pm$ 0.4
BinaryGNN Bahri et al. (2021)			✓	87.8 $\pm$ 0.2	92.4 $\pm$ 0.2	91.2 $\pm$ 0.1	95.3 $\pm$ 0.1	67.2 $\pm$ 0.9	-
BANE Yang et al. (2018)	✓		✓	72.7 $\pm$ 0.3	78.2 $\pm$ 0.3	92.8 $\pm$ 0.1	93.4 $\pm$ 0.4	>3days	>3days
DGI Veličković et al. (2019)	✓			84.0 $\pm$ 0.5	91.6 $\pm$ 0.2	92.2 $\pm$ 0.6	94.5 $\pm$ 0.5	65.1 $\pm$ 0.4	31.4 $\pm$ 0.3
GRACE Zhu et al. (2020)	✓			86.3 $\pm$ 0.3	92.2 $\pm$ 0.2	92.9 $\pm$ 0.0	95.3 $\pm$ 0.0	68.7 $\pm$ 0.4	31.5 $\pm$ 0.3
CCA-SSG Zhang et al. (2021)	✓			88.7 $\pm$ 0.3	93.1 $\pm$ 0.1	93.3 $\pm$ 0.1	95.7 $\pm$ 0.1	71.2 $\pm$ 0.2	31.8 $\pm$ 0.4
BGRL Thakoor et al. (2021)	✓			<b>90.3<math>\pm</math>0.2</b>	93.2 $\pm$ 0.3	93.3 $\pm$ 0.1	95.7 $\pm$ 0.0	71.6 $\pm$ 0.1	31.1 $\pm$ 0.1
SUGRL Mo et al. (2022)	✓			88.9 $\pm$ 0.2	93.2 $\pm$ 0.4	93.4 $\pm$ 0.0	95.2 $\pm$ 0.0	68.8 $\pm$ 0.4	<b>32.4<math>\pm</math>0.1</b>
GGD Zheng et al. (2022)	✓			88.0 $\pm$ 0.1	92.9 $\pm$ 0.2	93.1 $\pm$ 0.1	95.3 $\pm$ 0.0	<b>71.6<math>\pm</math>0.5</b>	31.7 $\pm$ 0.7
SPIKEGCL	✓	✓	✓	88.9 $\pm$ 0.3	93.0 $\pm$ 0.1	92.8 $\pm$ 0.1	95.2 $\pm$ 0.6	70.9 $\pm$ 0.1	32.0 $\pm$ 0.3

Comparable performance on node classification tasks



# RESULTS Efficiency

	Computers		CS		Physics		arXiv		MAG	
	#Param↓	Energy↓	#Param↓	Energy↓	#Param↓	Energy↓	#Param↓	Energy↓	#Param↓	Energy↓
DGI	917.5	0.5	4008.9	8	4833.3	6	590.3	5	590.3	568
GRACE	656.1	1.1	3747.5	17	4571.9	13	328.9	21	328.9	4463
CCA-SSG	262.4	17	1808.1	152	2220.2	352	98.8	78	98.8	340
BGRL	658.4	25	3749.8	163	4574.2	373	331.2	180	331.2	787
SUGRL	193.8	13	2131.2	147	2615.1	342	99.5	26	99.5	117
GGD	254.7	15	3747.3	140	4571.6	340	30.0	100	30.0	1400
Average	490.4	11.9	3198.7	104.5	3906.0	237.6	246.4	68.3	246.4	1279.1
SpikeGCL	60.9	0.038	460.7	0.048	564.4	0.068	7.3	0.2	6.6	0.18



SpikeGCL has significant advantages in terms of **parameters**, **speed**, **memory usage**, and **energy consumption**



# RESULTS Ablation Study

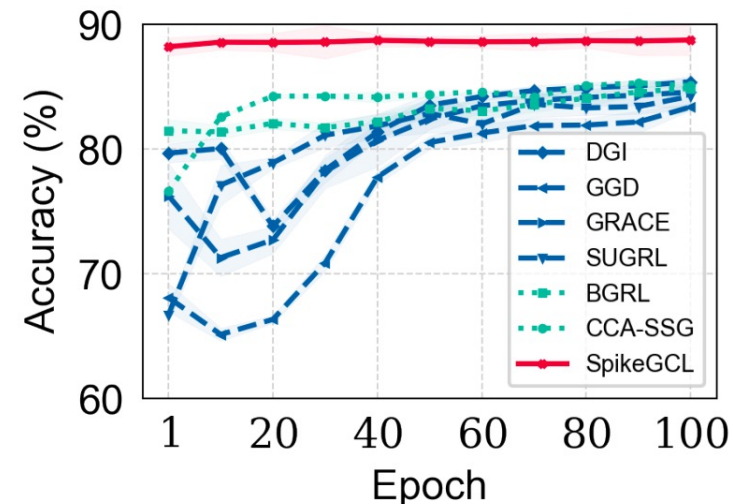
## ➤ GNN Encoder

	Computers	Photo	CS	Physics	arXiv	MAG
SAGE	84.4 $\pm$ 0.9	91.4 $\pm$ 0.3	90.8 $\pm$ 0.9	94.6 $\pm$ 0.1	65.7 $\pm$ 0.7	28.2 $\pm$ 0.1
GAT	87.9 $\pm$ 0.6	92.4 $\pm$ 0.5	90.5 $\pm$ 0.8	92.6 $\pm$ 0.3	68.0 $\pm$ 0.1	30.8 $\pm$ 0.8
GCN	<b>88.9<math>\pm</math>0.3</b>	<b>93.0<math>\pm</math>0.1</b>	<b>92.8<math>\pm</math>0.1</b>	<b>95.2<math>\pm</math>0.6</b>	<b>70.9<math>\pm</math>0.1</b>	<b>32.0<math>\pm</math>0.3</b>

## ➤ Spiking Neuron

	Computers	Photo	CS	Physics	arXiv	MAG
IF	88.1 $\pm$ 0.6	92.9 $\pm$ 0.2	91.2 $\pm$ 0.6	95.0 $\pm$ 0.5	68.2 $\pm$ 0.6	31.0 $\pm$ 0.5
LIF	88.6 $\pm$ 0.1	92.9 $\pm$ 0.1	92.1 $\pm$ 0.3	<b>95.3<math>\pm</math>0.1</b>	68.7 $\pm$ 0.8	29.8 $\pm$ 0.5
PILF	<b>88.9<math>\pm</math>0.3</b>	<b>93.0<math>\pm</math>0.1</b>	<b>92.8<math>\pm</math>0.1</b>	95.2 $\pm$ 0.6	<b>70.9<math>\pm</math>0.1</b>	<b>32.0<math>\pm</math>0.3</b>

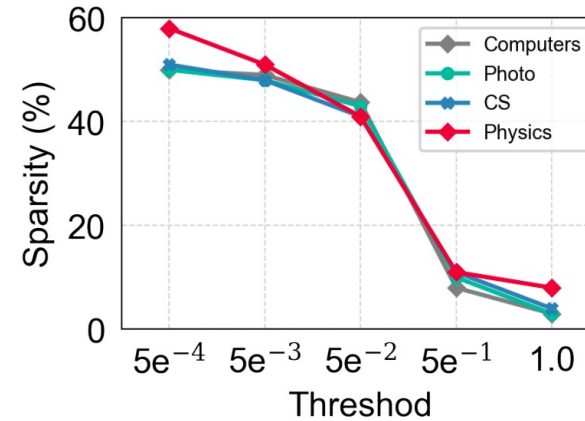
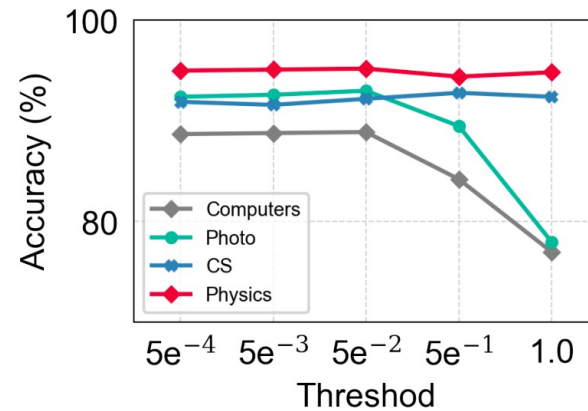
## ➤ Convergence



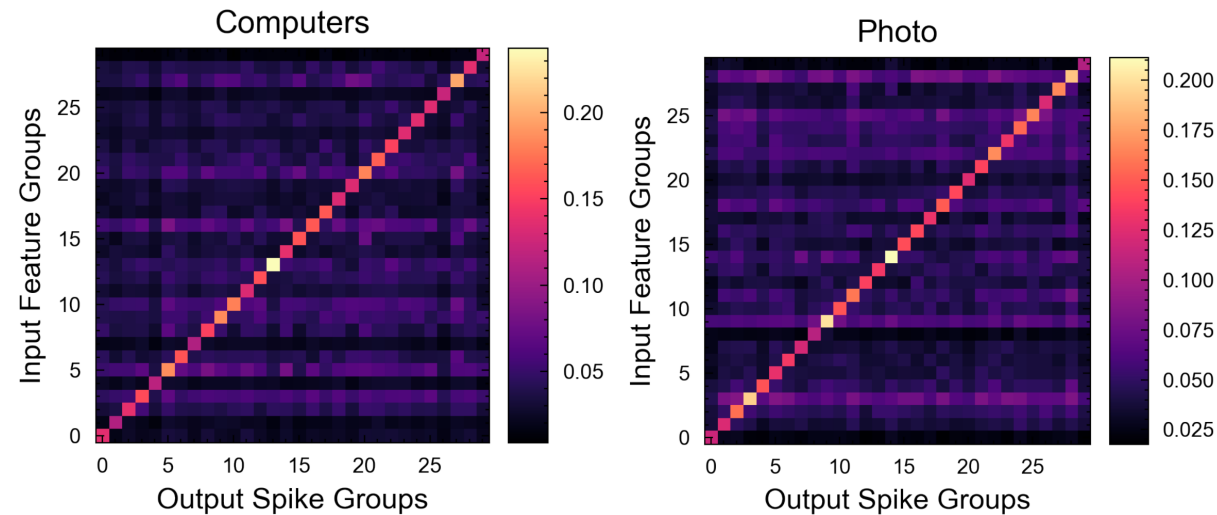


# RESULTS Ablation Study

## ➤ Firing Threshold



## ➤ Connections between Input Features and Output Spikes



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  - Graphs & Graph Neural Networks
  - Graph Self-supervised Learning
  - Spiking Neural Networks
- SpikeGCL: Spiking Graph Contrastive Learning
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- Conclusion





# CONCLUSION



1. **Self-supervised and binarized representation** learning problem on graphs with SNNs
2. **SpikeGCL**, a binarized contrastive learning framework for graphs with theoretical performance guarantees
3. **Blockwise training**, a local learning paradigm to prevent SNNs from **vanishing gradients and network degradation**
4. SpikeGCL exhibits comparable performance and additional advantages in terms of **parameters, speed, memory usage, and energy consumption**



# Thanks & QA?



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<https://github.com/EdisonLeeeee/SpikeGCL>



<https://edisonleeeee.github.io/>



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