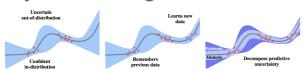
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#### openreview.net/forum?id=fifXzmzeGv github.com/normal-computing/posteriors

#### **Bayesian Learning**



Generalization 🔽

Continual learning 🔽 Decomposition of uncertainty 🔽

### Unification of optimizers, samplers and (Bayesian) deep ensembles

Formulate Bayesian samplers in continuous-time:

$$dz = [D+Q]N^{-1}\nabla\log\pi(z)dt + \sqrt{2TD}dw$$
 for symmetric  $D$ , skew-symmetric  $Q$  and  $z$  often on an extended space, e.g.  $z=(\theta,m)$  for momenta  $m$ .

 $\mathcal{T} = N^{-1} \implies \mathsf{Posterior} \, \mathsf{sampling}$ 

$$\mathcal{T} = 0 \implies \text{Optimization}$$

Many parallel chains ⇒ Bayesian deep ensemble (Parallel stochastic gradient MCMC)

Many parallel chains &  $T=0 \implies \text{Deep ensemble}$ 

**posteriors**  $\Theta$  is an open source PvTorch package for scalable Bayesian learning.

The key features outlining its philosophy are:

- Composability: Use with transformers, lightning, Llama, torchopt, pyro, ....
- Extensible: Easily add new methods to within the transform framework
- Functional: IAX-like, easier to test, compose, debug and closer to maths
- Scalable: Enforced support for mini-batches
- **Swappable**: Easily change methods



#### Bayesian Llama 3 🦙

A Bayesian model allows you to decompose predictive uncertainty

Total =  $TU = H[p(u \mid x)]$ 

Aleatoric =  $\mathbf{AU} = \mathbb{E}_{p(\theta|y_{0,N})}[H[p(y \mid x, \theta)]]$ H[p] = entropy of p

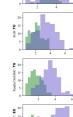
Epistemic = TU - AU

Epistemic uncertainty is a better indicator of hallucinations as semantic uncertainty (synonyms, starts of sentences etc) is captured by aleatoric uncertainty

Right: Bayesian LLM fine-tuned on textbooks.

Different uncertainty metrics as classifiers of out of distribution (Samoan) inputs.

Ideal case would be a complete separation of green and purple histograms.

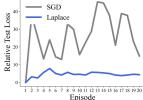


## Continual Learning 🕃

 $p(\theta \mid y_{1:N}) \propto p(\theta)p(y_{1:N} \mid \theta) \propto p(\theta \mid y_{1:N-1})p(y_N \mid \theta),$ 

Exact Bayes has no forgetting, in the sense that it values  $y_N$  equal to  $y_1$ .

Simple Bayesian approximation mitigates forgetting, here in continual training of Llama 2



SGD Llama 2 forgets earlier books 😉 (episodes) as it reads new ones. Replace point estimates with Laplace posteriors and Llama 2 has improved performance on earlier books 📚

# **NORMAL** Computing