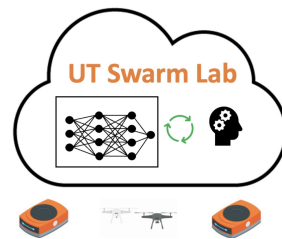




TEXAS

The University of Texas at Austin



Exploiting **Distribution Constraints** for **Scalable** and **Efficient** Image Retrieval

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Two Key Problems with Image Retrieval

- Dataset Specific Models
 - SOTA image retrieval methods train large models for each dataset.
 - This is not **scalable**.
- Huge Embedding Sizes
 - SOTA image retrieval methods use large embeddings.
 - Retrieval speed is directly proportional to embedding size.
 - This is not **efficient**.

How are these problems addressed (existing approaches)?

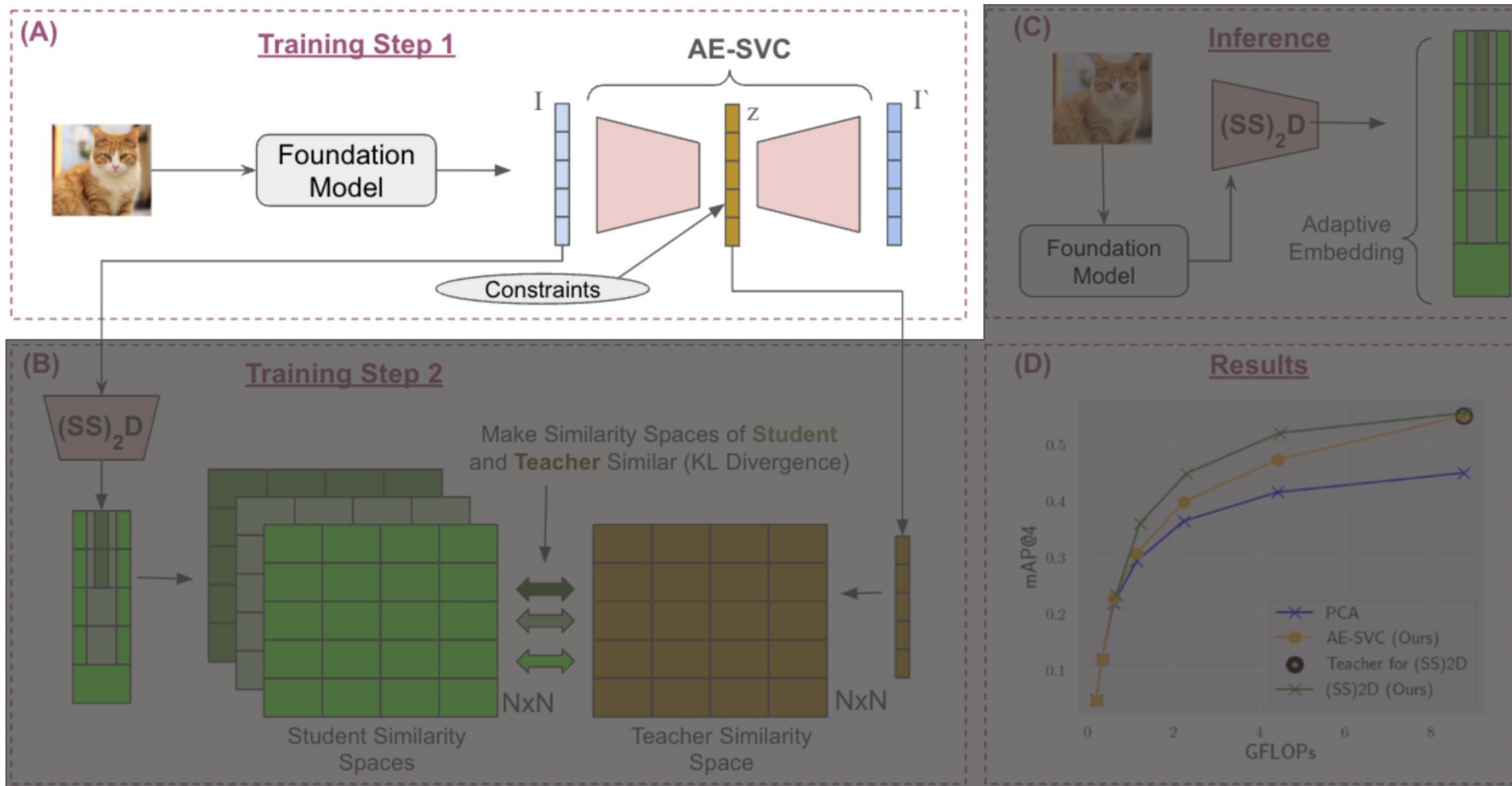
- Dataset Specific Models
 - Use off the shelf foundation models like DINO/CLIP
 - They lack in performance!
- Huge Embedding Sizes
 - Dimensionality reduction with PCA/Auto-encoders
 - They are not tuned for retrieval!
 - Further Auto-encoders require training separate model for each dimension size.

 We need a solution for **scalable** and **efficient** image retrieval!

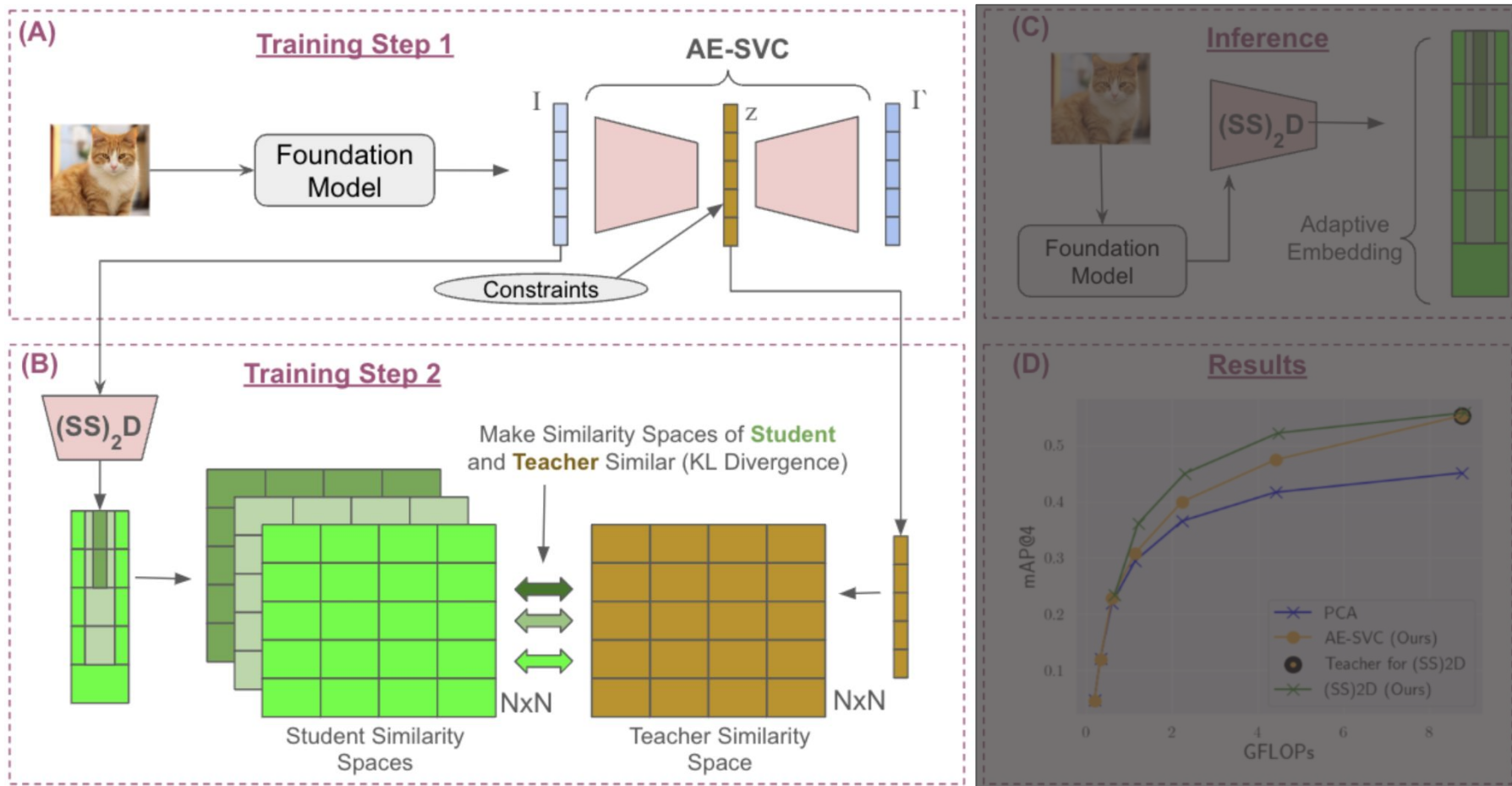
Our Key Insights

- On the **scalability** side:
 - Foundation models capture necessary subtleties for effective retrieval. 😊
 - The underlying distribution of their embedding space can negatively impact cosine similarity searches. 😓
 - We need to improve the underlying distribution. 💡
- On the **efficiency** side:
 - Dimensionality reduction techniques like PCA/Auto-encoders either focus on information maximization or reconstruction quality. 😓
 - We need dimensionality reduction tuned to cosine searches. 💡

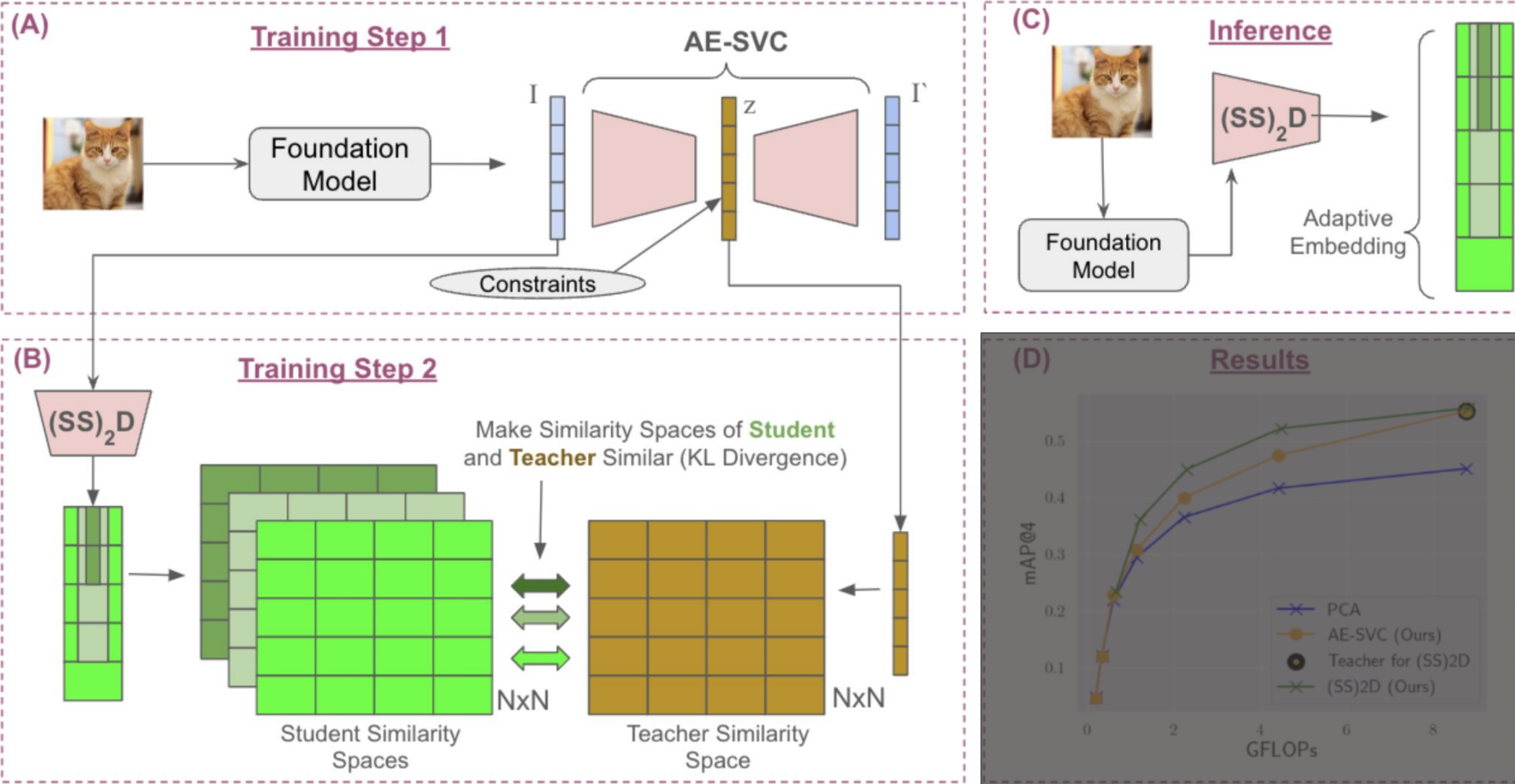
Our Two-step Solution



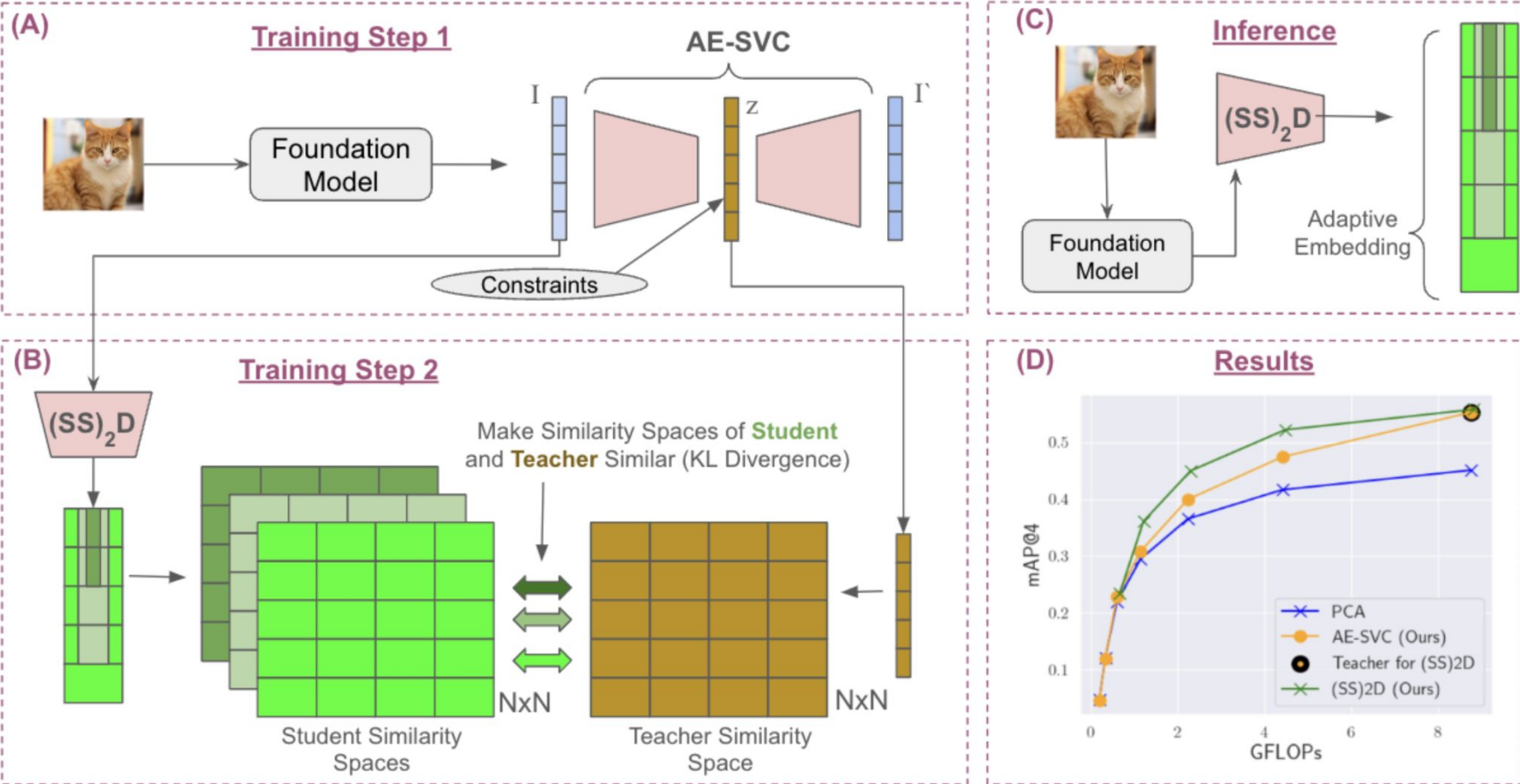
Our Two-step Solution



Our Two-step Solution

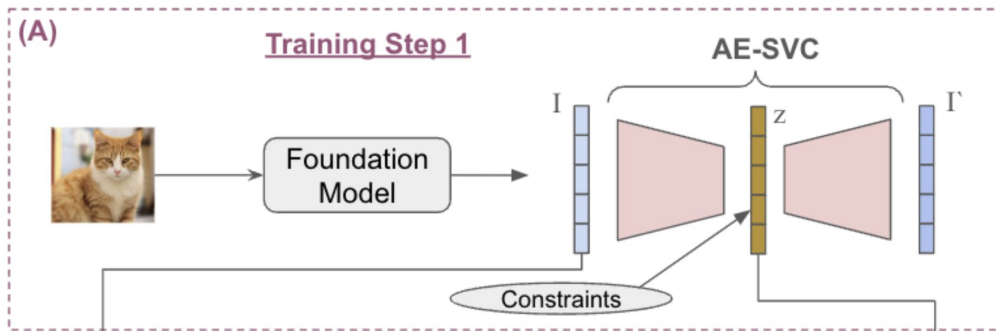


Our Two-step Solution



Autoencoders with Strong Variance Constraints (AE-SVC)

AE-SVC | The Losses Explained



$$\mathcal{L}_{\text{rec}} = \frac{1}{n} \sum_{i=1}^n \|I_i - I'_i\|_2^2,$$

$$\mathcal{L}_{\text{cov}} = \left\| \frac{1}{n} (Z - \mu)^\top (Z - \mu) - \mathbb{I} \right\|_F^2,$$

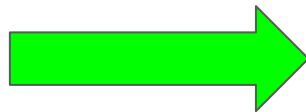
$$\mathcal{L}_{\text{var}} = \frac{1}{d} \sum_{i=1}^d \left(\text{Var}(z^i) - 1 \right)^2,$$

$$\mathcal{L}_{\text{mean}} = \frac{1}{d} \sum_{i=1}^d (\mu^i)^2,$$

AE-SVC | Insight Into the Constraints

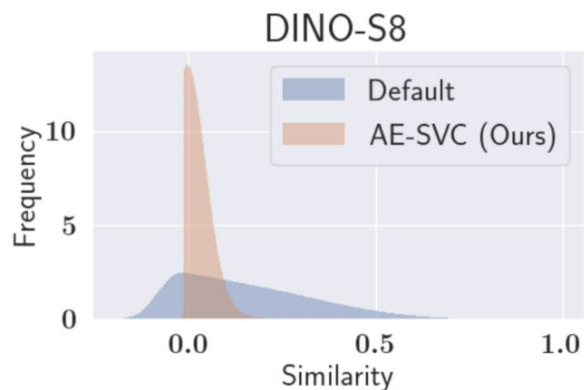
- Why do these constraints help?

Constraints on
Embedding Distributions

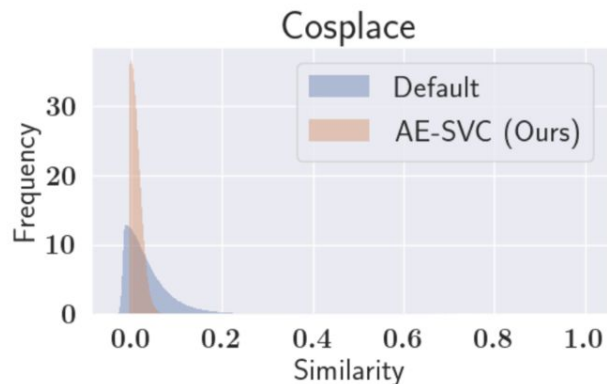


Minimum Variance in
CosSim Distributions

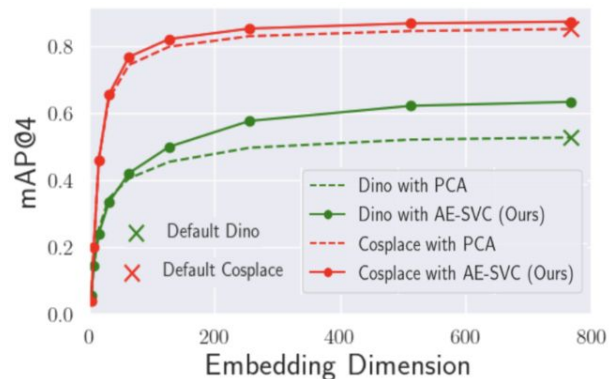
AE-SVC | Insight Into the Constraints



(a)



(b)

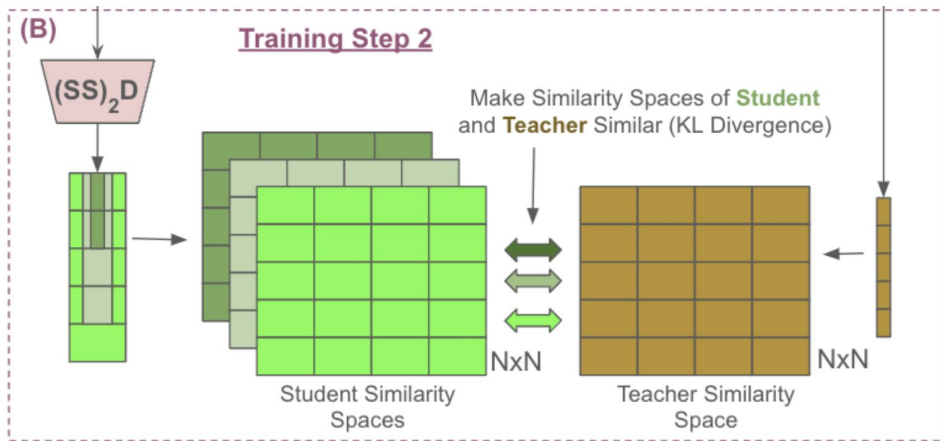


(c)

Single Shot Similarity Space Distillation

$(SS)_2D$

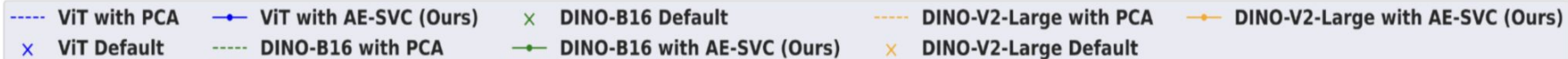
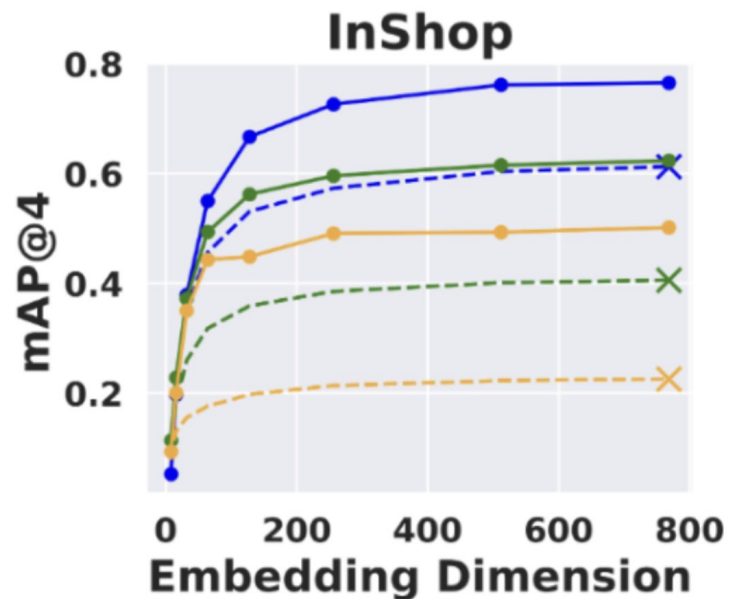
$(SS)_2D$ | Losses Explained



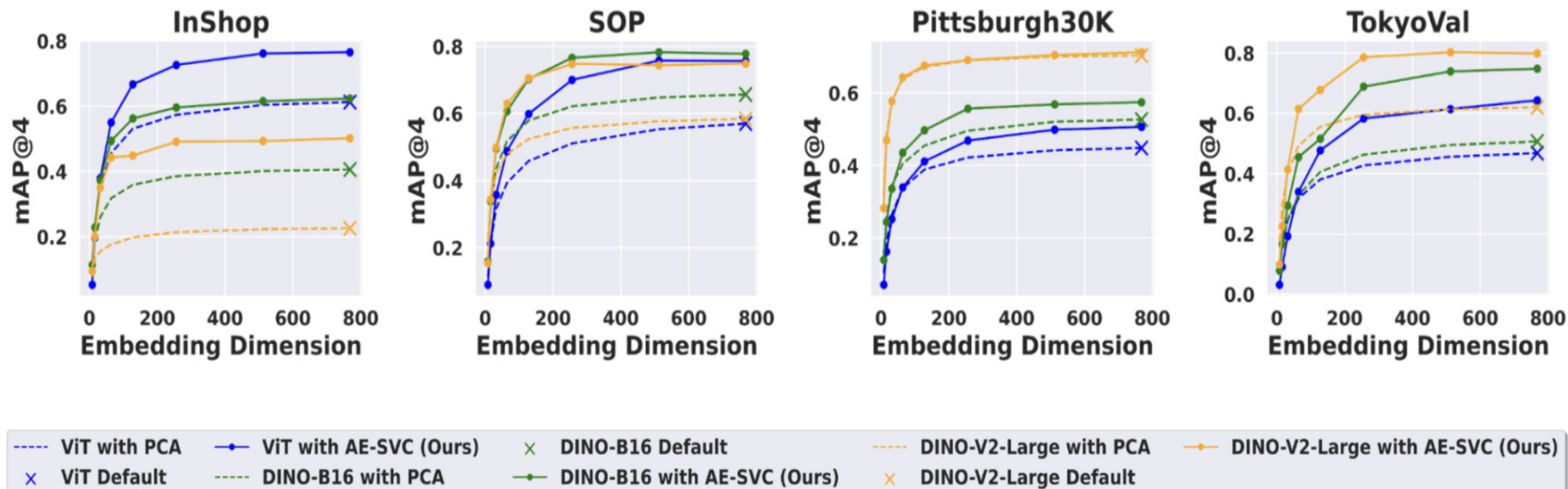
$$l^m = \sum_i D_{\text{KL}}(\tilde{C}_i^m \| C_i).$$

$$L_{(SS)_2D} = \sum_m l^m = \sum_m \sum_i D_{\text{KL}}(\tilde{C}_i^m \| C_i).$$

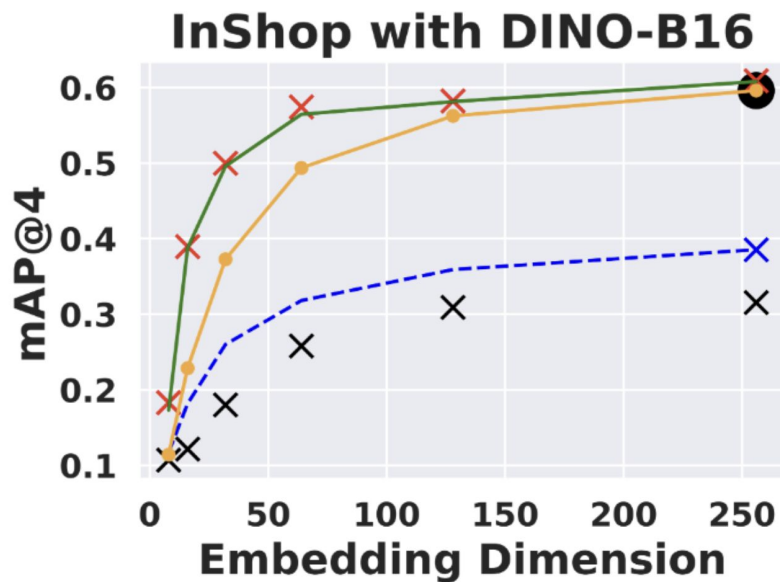
AE-SVC | Results



AE-SVC | Results



(SS)2D | Results



--- PCA —●— AE-SVC (Ours) — (SS)2D (Ours) × VAE
× Default ● Teacher for SSD and (SS)2D × SSD (Upper Bound)

(SS)2D | Results

