











# BinaryDM: Accurate Weight Binarization for Efficient Diffusion Models

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Paper: <a href="https://iclr.cc/virtual/2025/poster/29258">https://iclr.cc/virtual/2025/poster/29258</a>

Code: https://github.com/Xingyu-Zheng/BinaryDM

(star is welcome)





## 1 Introduction: Diffusion Binarization

## Large Pre-trained Diffusion models

- Diffusion models (DMs) have garnered impressive attention and applications in various fields, such as image, speech and video
- it still suffers expensive FP32 parameters and operations

#### Network Binarization

- compression by binarizing parameters
- accelerating by applying sign operations

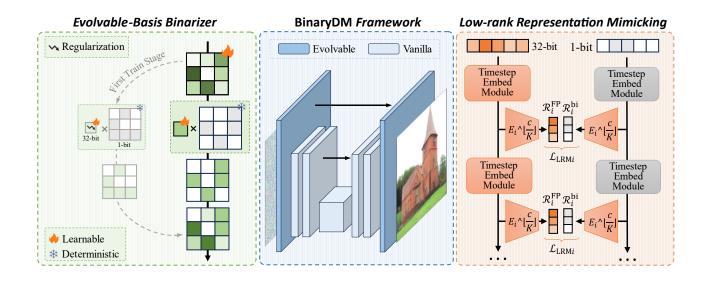
$$Q_{\mathbf{x}}(\mathbf{x}) = \alpha \; \mathbf{B}_{\mathbf{x}}$$

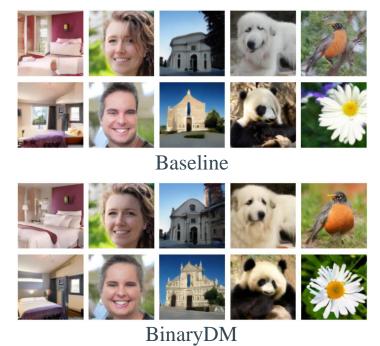
$$\mathbf{B}_{\mathbf{x}} = \operatorname{sign}(\mathbf{x}) = \begin{cases} -1, & \text{if } x \ge 0 \\ 1, & \text{otherwise} \end{cases}$$

$$z = Q_{\mathbf{w}}(\mathbf{w})^{\mathsf{T}} Q_{\mathbf{a}(\mathbf{a})} = \alpha_{\mathbf{w}} \alpha_{\mathbf{a}} (\mathbf{B}_{\mathbf{w}} \otimes \mathbf{Q}_{\mathbf{a}})$$



#### 1 Introduction: Overview





#### Main Contribution

- W1A4 BinaryDM achieves as low as 7.74 FID and saves the performance from collapse (baseline FID 10.87)
- W1A4 BinaryDM achieves impressive 15.2x OPs and 29.2x model size savings, showcasing its substantial potential for edge deployment



## 2 The Rise of BinaryDM: Bottlenecks of Binarized DMs

#### Binarized DMs Architecture

- Representation perspective: Weight binarization severely restricts the feature extraction capability of diffusion models, causing significant damage to information in critical representations of generative models.

#### Distillation for Binarized DMs

- Optimization perspective: Introducing discrete binarization functions in DMs poses a significant hurdle to stable convergence.



## 2 The Rise of BinaryDM: Evolvable-Basis Binarizer

## EBB enables a smooth evolution of DMs from full-precision to accurately binarized

**Learnable Multi-Basis:** In the forward propagation of the first stage, EBB is defined as:

$$w_{\text{EBB}}^{\text{bi}} = \sigma_I \text{sign}(w) + \sigma_{II} \text{sign}(w - \sigma_1 \text{sign}(w))$$

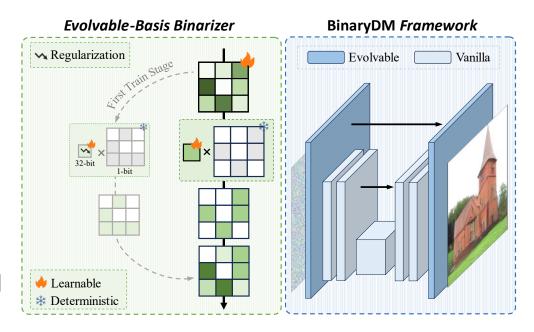
**Transition Strategy:** In the first stage, regularization loss is applied to the higher-order learnable scaling factors, encouraging them to approach zero:

$$\mathcal{L}_{\text{EBB}} = \tau \frac{1}{N} \sum_{i=1}^{N} \sigma_{II}^{i}$$

In the second stage, all higher-order terms are removed, and the forward propagation is simplified to:

$$w^{\text{bi}} = \sigma_I \text{sign}(w)$$

**Location Selection:** In BinaryDM, EBB is partially applied to crucial and parameter-sparse locations of the diffusion models to reduce unnecessary evolution processes and the associated training overhead.

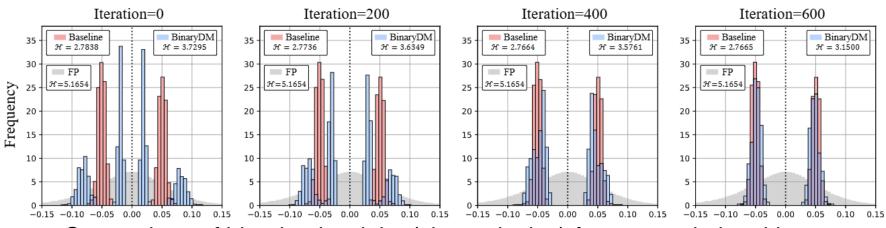




## 2 The Rise of BinaryDM: Evolvable-Basis Binarizer (EBB)

#### From the representation perspective

 EBB possesses a broader representation range at the early stage and then gradually transitions to a single-basis state, while the quantitative information entropy \$\mathcal{H}\$ further illustrates its enhanced representation capacity.



Comparison of binarized weights(channel-wise) for a convolutional layer.



## 2 The Rise of BinaryDM: Low-rank Representation Mimicking

## **LRM** for Accurate Optimization

 We use principal component analysis (PCA) to project representations to low-rank space:

$$\mathbf{\mathcal{R}}_{i}^{\mathrm{FP}}\left(\mathbf{x}_{t},t\right)=\hat{\mathbf{\varepsilon}}_{\theta_{i}}^{\mathrm{FP}}\left(\mathbf{x}_{t},t\right)E_{i}^{\lceil\frac{c}{K}
floor},\quad \mathbf{\mathcal{R}}_{i}^{\mathrm{bi}}\left(\mathbf{x}_{t},t\right)=\hat{\mathbf{\varepsilon}}_{\theta_{i}^{\mathrm{bi}}}^{\mathrm{bi}}\left(\mathbf{x}_{t},t\right)E_{i}^{\lceil\frac{c}{K}
floor}$$

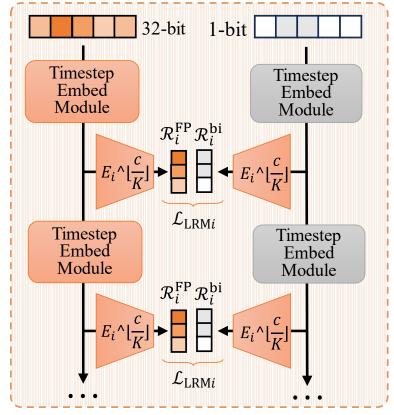
 We construct a mean squared error (MSE) loss between the i-th module of low-rank representations between fullprecision and binarized DMs:

$$oldsymbol{\mathcal{L}_{ ext{LRM}}}_i = ig\| oldsymbol{\mathcal{R}}_i^{ ext{FP}} - oldsymbol{\mathcal{R}}_i^{ ext{bi}} ig\|$$

The total loss function:

$$\mathcal{L}_{ ext{total}} = \mathcal{L}_{ ext{simple}} + \mathcal{L}_{ ext{EBB}} + \lambda rac{1}{M} \sum_{i=1}^{M} \mathcal{L}_{ ext{LRM}i}$$

#### Low-rank Representation Mimicking

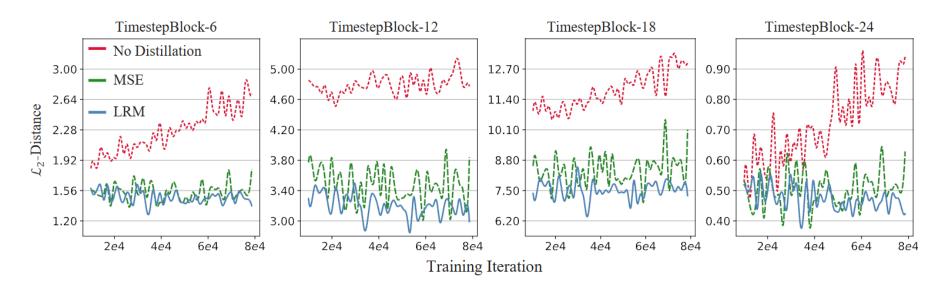




## 2 The Rise of BinaryDM: Low-rank Representation Mimicking

## From the optimization perspective

 LRM enables binarized DMs to mimic the representation of full-precision counterparts, improving the optimization process by introducing additional supervision.





## **Experiments: Generation Performance**

Table 2: Results for LDM on multiple datasets in unconditional generation by DDIM with 100 steps.

Model	Dataset	Method	#Bits	Size <sub>(MB)</sub>	FID↓	sFID↓	Precision ↑	Recall†
LDM-4	LSUN-Bedrooms $256 \times 256$	FP	32/32	1045.4	3.09	7.08	65.82	45.36
		LSQ	2/32	69.8	7.49	12.79	64.02	37.60
		Baseline	1/32	35.8	8.43	13.11	65.45	29.88
		BinaryDM	1/32	35.8	6.99	12.15	67.51	36.80
		Q-Diffusion	2/8	69.8	62.01	33.56	16.48	14.12
		LSQ	2/8	69.8	6.48	11.66	62.55	38.92
		Baseline	1/8	35.8	9.37	12.10	64.36	30.76
LDWI-4		BinaryDM	1/8	35.8	6.51	11.67	65.80	35.28
		Q-Diffusion	4/4	134.9	427.46	277.22	0.00	0.00
		EfficientDM	4/4	134.9	10.60	-	-	
		LSQ	2/4	69.8	12.95	12.79	55.97	34.30
		Baseline	1/4	35.8	10.87	15.46	64.05	26.50
		TDQ	1/4	35.8	11.28	12.80	55.14	27.32
		ReActNet	1/4	35.8	10.23	13.02	61.43	29.68
		Q-DM	1/4	35.8	9.99	11.96	57.62	29.30
		INSTA-BNN	1/4	35.8	9.42	12.39	60.05	31.08
		BI-DiffSR	1/4	35.8	8.58	11.81	62.61	30.86
		BinaryDM	1/4	35.8	7.74	10.80	64.71	32.98
	LSUN-Churches $256 \times 256$	FP	32/32	1125.2	4.82	17.66	75.18	46.80
		LSQ	2/32	74.1	8.16	19.87	74.98	35.70
		Baseline	1/32	38.1	9.91	17.94	74.89	26.88
		BinaryDM	1/32	38.1	8.14	17.44	75.51	34.50
		Q-Diffusion	2/8	74.1	201.23	238.70	2.39	8.60
		LSQ	2/8	74.1	8.11	19.25	77.04	34.98
LDM-8		Baseline	1/8	38.1	10.94	16.95	74.30	25.66
		BinaryDM	1/8	38.1	8.63	15.13	77.74	33.48
		EfficientDM	4/4	144.2	14.34	-	-	
		Q-Diffusion	4/4	144.2	198.35	184.43	5.48	0.12
		LSQ	2/4	74.1	_ 10.00	_19.08_	74.93_	25.80
		Baseline	1/4	38.1	12.98	21.55	70.78	25.30
		BinaryDM	1/4	38.1	9.91	18.04	73.72	29.96
LDM-4	FFHQ 256 × 256	FP	32/32	1045.4	6.64	14.16	76.88	50.82
		Q-Diffusion	4/32	134.9	11.60	10.30		
		Baseline	1/32	35.8	10.49	11.56	72.64	39.62
		BinaryDM	1/32	35.8	8.70	9.68	73.92	42.22
		Q-Diffusion	8/8	265.0	10.87	10.01	-	
		Q-Diffusion	4/8	134.9	11.45	9.06	_	
		Baseline	1/8	35.8	10.79	10.77	73.20	41.70
		BinaryDM	1/8	35.8	9.58	10.74	74.48	41.75
		Baseline	1/4	35.8	15.07	12.48	74.34	35.12
		BinaryDM	1/4	35.8	12.34	11.18	74.83	38.09

Table 4: Ablation results on LSUN-Bedrooms  $256 \times 256$ .

Method	#Bits	FID↓	sFID↓	Prec.↑	Recall↑
FP	32/32	3.09	7.08	65.82	45.36
Vanilla	1/32	8.43	13.11	65.45	29.88
+EBB	1/32	7.39	12.34	65.98	35.84
+LRM	1/32	6.99	12.15	67.51	36.80

Table 5: Inference efficiency of our proposed BinaryDM of LDM-4 on LSUN-Bedrooms  $256 \times 256$ 

Model	Method	#Bits	Size <sub>(MB)</sub>	$OPs_{(\times 10^9)}$	FID↓
	<b>Full-Precision</b>	4/4	1045.4	96.0	3.09
	Q-Diffusion	4/4	134.9	24.3	427.46
LDM-4	<b>EfficientDM</b>	4/4	134.9	24.3	10.60
	LSQ	2/4	69.8	12.3	12.95
	BinaryDM	1/4	35.8	6.3	7.74

Table 6: Training time-cost of BinaryDM compared to the advanced PTQ method.

Dataset	Method	#Bits	Size <sub>(MB)</sub>	Time <sub>(h)</sub>	FID↓
LSUN-Bedrooms	Q-Diffusion	4/4	134.9	13.7	427.46
	<b>BinaryDM</b>	1/4	<b>35.8</b>	<b>11.3</b>	<b>13.93</b>
LSUN-Churches	Q-Diffusion	4/4	144.2	10.9	198.35
	<b>BinaryDM</b>	1/4	<b>38.1</b>	<b>9.0</b>	<b>15.11</b>













































BinaryDM





Baseline



## Conclusion

- From the representation perspective, we present an Evolvable-Basis Binarizer (EBB) to enable a smooth evolution of DMs from full-precision to accurately binarized. EBB enhances information representation in the initial stage through the flexible combination of multiple binary bases and applies regularization to evolve into efficient single-basis binarization.
- From the optimization perspective, a Low-rank Representation Mimicking (LRM) is applied to assist the optimization of binarized DMs. The LRM mimics the representations of full-precision DMs in low-rank space, alleviating the direction ambiguity of the optimization process caused by fine-grained alignment.
- W1A4 BinaryDM achieves as low as 7.74 FID and saves the performance from collapse (baseline FID 10.87), achieving impressive 15.2x OPs and 29.2x model size savings, showcasing its substantial potential for edge deployment.













## Thank you!

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