



# Matcha: Mitigating Graph Structure Shifts with Test-Time Adaptation











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# Challenge: Distribution Shifts in Graphs





Graph neural networks (GNNs) are vulnerable to distribution shifts.

- Attribute shifts: Node feature distributions are different.
  - LinkedIn: Share research & find jobs.
  - Instagram: Share trips & activities.
- Structure shifts: Node connectivity patterns are different.
  - LinkedIn: Follow more professional colleges.
  - Instagram: Follow more family & friends.
- Structure shifts include, but not limit to:
  - Degree shift: Changes in average node degree.
  - Homophily shift: Changes in average node homophily.







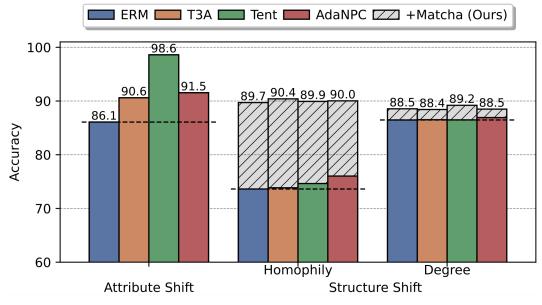
### Test-Time Adaptation





- Test-Time Adaptation (TTA) addresses distribution shifts by adapting a source model to the target domain without access to source data.
- Many existing TTA methods (T3A, Tent, AdaNPC) are developed for images.
- These methods perform well under attribute shifts, but often fail under structure shifts.

- Why does this performance gap exist?
- How can we enhance the performance of TTA under graph structure shifts?



<sup>[1]</sup> Yusuke Iwasawa, Yutaka Matsuo. Test-Time Classifier Adjustment Module for Model-Agnostic Domain Generalization. NeurIPS 2021.



<sup>[2]</sup> Dequan Wang, et al. Tent: Fully Test-Time Adaptation by Entropy Minimization. ICLR 2021.

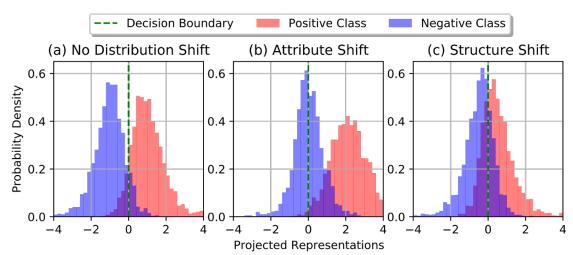
<sup>[3]</sup> Yifan Zhang, et al. AdaNPC: Exploring Non-Parametric Classifier for Test-Time Adaptation. ICML 2023.

#### Why Generic TTA Fails on Structure Shifts?





 We visualize the distribution of node representations (projected to 1-D).



Histograms of Projected Representations Under Different Distribution Shifts

#### Attribute shifts and structure shifts have different impact patterns!

- Attribute shifts introduce classifier bias:
  - Node representations remain discriminative.
  - Can be handled by adjusting the decision boundary.
- Structure shifts introduce representation degradation:
  - Node representations are overlapping.
  - Cannot be handled by adjusting the decision boundary.

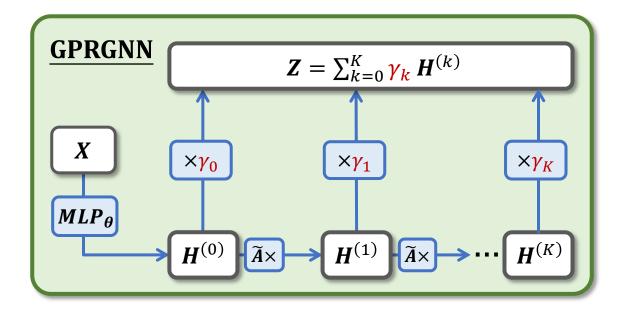


#### **Adapt the Hop-Aggregation Parameters**





- Many GNN architectures have hopaggregation parameters:
  - Control how GNNs integrate node features with neighbor information across different hops.
  - Example:  $\gamma = [\gamma_0, \cdots, \gamma_K]$  in GPRGNN.
- Structure shifts does not affect  $H^{(0)}$ , but change the signal-to-noise ratio in  $H^{(1)}, \dots, H^{(K)}$ .
  - The hop-aggregation parameters  $\gamma$  should be adjusted accordingly!

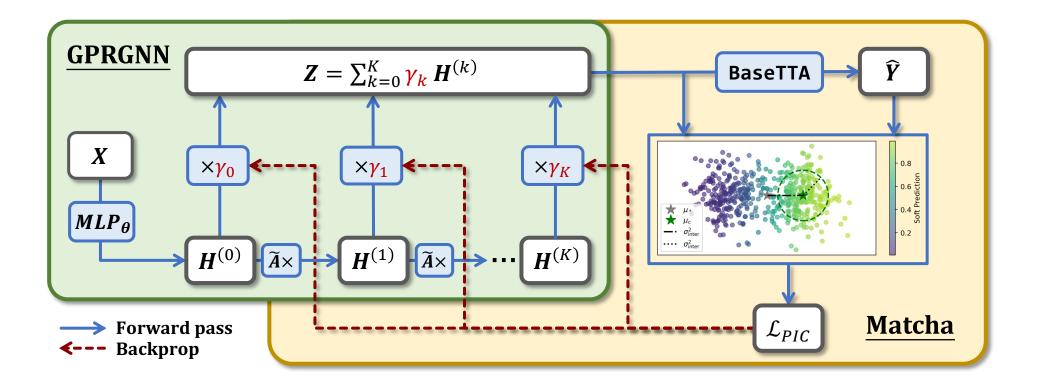




#### **Matcha: Overview**



 We propose Matcha to enhance the performance of generic TTA methods by adjusting the hop-aggregation parameters.





#### **Prediction-Informed Clustering Loss**

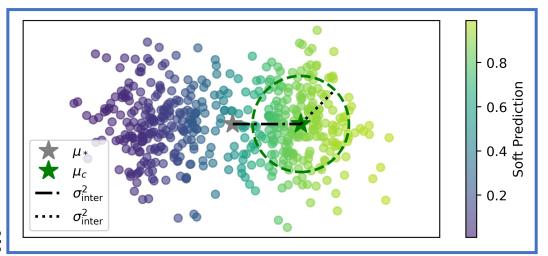




We proposed a new loss function: prediction-informed clustering (PIC) loss

$$\mathcal{L}_{\text{PIC}} = \frac{\sigma_{\text{intra}}^2}{\sigma_{\text{intra}}^2 + \sigma_{\text{inter}}^2}$$
, where

- Intra-class variance:  $\sum_{i=1}^{M}\sum_{c=1}^{C}\widehat{Y}_{i,c}\|\mathbf{z}_i-\boldsymbol{\mu}_c\|_2^2$
- Inter-class variance:  $\sum_{c=1}^{C} \left(\sum_{i=1}^{M} \widehat{Y}_{i,c}\right) \|\mu_c \mu_*\|_2^2$



- Centroid for class 
$$c$$
:  $\mu_c = \frac{\sum_{i=1}^M \widehat{Y}_{i,c} \mathbf{z}_i}{\sum_{i=1}^M \widehat{Y}_{i,c}}$  Centroid for all nodes:  $\mu_* = \frac{1}{M} \sum_{i=1}^M \mathbf{z}_i$ 

- Intuition
  - Small intra-class variance  $\sigma_{\rm intra}^2$ , large inter-class variance  $\sigma_{\rm inter}^2$



#### Integration of Generic TTA Methods





 Integrate generic TTA algorithms to handle structure shift and attribute shift simultaneously

#### In each optimization step,

#### Algorithm 1 Matcha Matcha (target graph

**Matcha** (target graph  $\mathcal{T}$ , featurizer  $f_{\theta,\gamma}$ , classifier  $g_{\boldsymbol{w}}$ , baseline TTA method BaseTTA)

- 1: for epoch t = 1 to T do
- Apply generic TTA:
  - $\hat{m{Y}} \leftarrow exttt{BaseTTA}(\mathcal{T}, f_{m{ heta}, m{\gamma}}, g_{m{w}})$
- 4: return  $\hat{Y} \leftarrow \texttt{BaseTTA}(\mathcal{T}, f_{\theta, \gamma}, g_w)$
- First apply base TTA algorithm to get predictions  $\{\widehat{\pmb{Y}}_{i,c}\}$
- Compute PIC loss with  $\{\widehat{Y}_{i,c}\}$  to optimize node representation
- Synergy between representation quality and prediction accuracy:
  - Better prediction → better pseudo-class for PIC loss, improving representation
  - Better representation quality → better prediction



# **Experiments: Handle Various Structure Shifts**





- Matcha consistently enhances the performance of base TTA methods
  - Homo (homophilious), hetero (heterophilious), high (high degree), low (low degree)

Table 1: Accuracy (mean  $\pm$  s.d. %) on CSBM with structure shifts and attribute shifts.

Method	Homophily shift		Degree shift		Attribute + homophily shift		Attribute + degree shift	
	$homo \rightarrow hetero$	$hetero \to homo$	$high \rightarrow low$	$low \rightarrow high$	$homo \rightarrow hetero$	$hetero \to homo$	$high \rightarrow low$	$low \rightarrow high$
ERM + Matcha	$73.62 \pm 0.44$ $89.71 \pm 0.27$	$76.72 \pm 0.89 \\ 90.68 \pm 0.26$	$86.47 \pm 0.38$ $88.55 \pm 0.44$	$92.92 \pm 0.43$ $93.78 \pm 0.74$	$61.06 \pm 1.67$ $85.34 \pm 4.68$	$72.61 \pm 0.38 \\ 74.70 \pm 0.99$	$77.63 \pm 1.13$ $78.29 \pm 1.41$	$73.60 \pm 3.53$ $73.86 \pm 4.20$
T3A + Matcha	$73.85 \pm 0.24$ $90.40 \pm 0.11$	$76.68 \pm 1.08$ $90.50 \pm 0.24$	$86.52 \pm 0.44$ $88.42 \pm 0.60$	$92.94 \pm 0.37$ $93.83 \pm 0.41$	$65.77 \pm 2.11$ $88.49 \pm 0.58$	$72.92 \pm 0.90 \\ 79.34 \pm 1.85$	$80.89 \pm 1.28$ $81.82 \pm 1.36$	$81.94 \pm 3.24$ $82.12 \pm 4.03$
Tent + Matcha	$74.64 \pm 0.38 \\ 89.93 \pm 0.16$	$79.40 \pm 0.57$ $91.26 \pm 0.08$	$86.49 \pm 0.50$ $89.20 \pm 0.20$	$92.84 \pm 0.18$ $94.88 \pm 0.09$	$74.42 \pm 0.41$ <b>90.12</b> $\pm$ <b>0.07</b>	$79.57 \pm 0.40$ <b>91.15</b> $\pm$ <b>0.20</b>	$86.05 \pm 0.33$ $87.76 \pm 0.16$	$93.06 \pm 0.24$ $95.04 \pm 0.06$
AdaNPC + Matcha	$76.03 \pm 0.46 \\ 90.03 \pm 0.33$	$81.66 \pm 0.17$ $90.36 \pm 0.67$	$86.92 \pm 0.38$ $88.49 \pm 0.31$	$91.15 \pm 0.39$ $92.84 \pm 0.57$	$63.96 \pm 1.31$ $85.81 \pm 0.30$	$76.33 \pm 0.71 \\ 77.63 \pm 1.55$	$77.69 \pm 0.91$ $78.41 \pm 1.03$	$76.24 \pm 3.06$ $76.31 \pm 3.68$
GTrans + Matcha	$74.01 \pm 0.44$ $89.47 \pm 0.20$	$77.28 \pm 0.56 \\ 90.31 \pm 0.31$	$86.58 \pm 0.11$ $87.88 \pm 0.77$	$92.74 \pm 0.13$ $93.23 \pm 0.52$	$71.60 \pm 0.60$ $88.88 \pm 0.38$	$74.45 \pm 0.42 \\ 76.87 \pm 0.66$	$83.21 \pm 0.25$ $83.41 \pm 0.16$	$89.40 \pm 0.62$ $89.98 \pm 0.93$
SOGA + Matcha	$74.33 \pm 0.18 \\ 89.92 \pm 0.26$	$83.99 \pm 0.35$ $90.69 \pm 0.27$	$86.69 \pm 0.37$ $88.83 \pm 0.32$	$93.06 \pm 0.21$ $94.49 \pm 0.23$	$70.45 \pm 1.71$ $88.92 \pm 0.28$	$76.41 \pm 0.79 \\ 90.14 \pm 0.33$	$81.31 \pm 1.03$ $87.11 \pm 0.28$	$88.32 \pm 1.94$ $93.38 \pm 1.06$
GraphPatcher + Matcha	$79.14 \pm 0.62$ $91.28 \pm 0.28$	$82.14 \pm 1.11 \\ 90.66 \pm 0.15$	$87.87 \pm 0.18$ $88.01 \pm 0.18$	$93.64 \pm 0.45$ $93.88 \pm 0.69$	$64.16 \pm 3.49 \\ 89.99 \pm 0.41$	$76.98 \pm 1.04$ $87.94 \pm 0.39$	$76.99 \pm 1.43$ $78.43 \pm 1.84$	$73.31 \pm 4.48$ $77.86 \pm 4.14$

# **Experiments on Real-World Setting**





- Syn-Cora and Syn-Products
  - Only homophily shift
- Twitch-E and OGB-Arxiv
  - Natural attribute and structure shift
  - We randomly delete homophilic edges to inject more homophily and degree shifts

Matcha also improves the model performance

Table 2: Accuracy on real-world datasets.

Method	Syn-Cora	Syn-Products	Twitch-E	OGB-Arxiv
ERM + Matcha	$65.67 \pm 0.35 \\ 78.96 \pm 1.08$	$37.80 \pm 2.61$ $69.75 \pm 0.93$	$56.20 \pm 0.63$ $56.76 \pm 0.22$	$41.06 \pm 0.33 \\ 41.74 \pm 0.34$
T3A + Matcha	$68.25 \pm 1.10 \\ 78.40 \pm 1.04$	$47.59 \pm 1.46$ $69.81 \pm 0.36$	$56.83 \pm 0.22 \\ 56.97 \pm 0.28$	$38.17 \pm 0.31$ $38.56 \pm 0.27$
Tent + Matcha	$66.26 \pm 0.38 \\ 78.87 \pm 1.07$	$29.14 \pm 4.50$ $68.45 \pm 1.04$	$58.46 \pm 0.37$ $58.57 \pm 0.42$	$34.48 \pm 0.28 \\ 35.20 \pm 0.27$
AdaNPC + Matcha	$67.34 \pm 0.76$ $77.45 \pm 0.62$	$44.67 \pm 1.53$ $71.66 \pm 0.81$	$55.43 \pm 0.50$ $56.35 \pm 0.27$	$40.20 \pm 0.35 \\ 40.58 \pm 0.35$
GTrans + Matcha	$68.60 \pm 0.32$ $83.49 \pm 0.78$	$43.89 \pm 1.75$ <b>71.75</b> $\pm$ <b>0.65</b>	$56.24 \pm 0.41  56.75 \pm 0.40$	$41.28 \pm 0.31 \\ 41.81 \pm 0.31$
SOGA + Matcha	$67.16 \pm 0.72 \\ 79.03 \pm 1.10$	$40.96 \pm 2.87$ $70.13 \pm 0.86$	$56.12 \pm 0.30 \\ 56.62 \pm 0.17$	$41.23 \pm 0.34$ $41.78 \pm 0.34$
GraphPatcher + Matcha	$63.01 \pm 2.29 \\ 80.99 \pm 0.50$	$36.94 \pm 1.50$ $69.39 \pm 1.29$	$57.05 \pm 0.59$ $57.41 \pm 0.53$	$41.27 \pm 0.87$ $41.83 \pm 0.90$



#### **Experiments: Visualization**

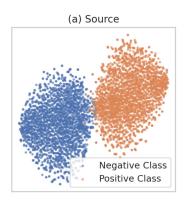


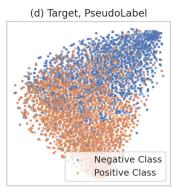


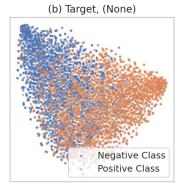
 Matcha successfully restores the quality of node representations under structure shifts

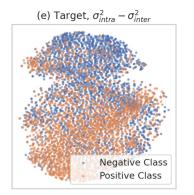
 Better representations result in higher accuracy

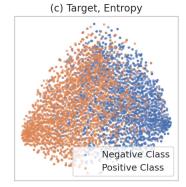
Loss	Homoph	nily shift	Degree shift		
	$hom \rightarrow het$	$het \rightarrow hom$	$hi \rightarrow lo$	$lo \rightarrow hi$	
(None)	$73.6 \pm 0.4$	$76.7\pm0.9$	$86.5\pm0.4$	$92.9 \pm 0.4$	
Entropy	$75.9\pm0.7$	$90.0 \pm 0.2$	$86.8 \pm 0.3$	$93.8 \pm 0.7$	
PseudoLabel	$77.3 \pm 3.0$	$89.4 \pm 0.2$	$86.7 \pm 0.3$	$93.7 \pm 0.7$	
$\sigma_{ m intra}^2 - \sigma_{ m inter}^2$	$76.1\pm0.4$	$72.4\pm0.7$	$82.6 \pm 1.0$	$92.9\pm0.4$	
PIC (Ours)	$\textbf{89.7}\pm\textbf{0.3}$	$\textbf{90.7}\pm\textbf{0.3}$	$\textbf{88.6}\pm\textbf{0.4}$	$\textbf{93.8}\pm\textbf{0.7}$	

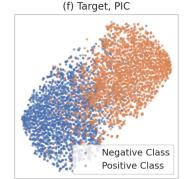














# **Key Takeaways**





 Focusing on graph test-time adaptation (TTA), we find that attribute shifts and structure shifts have different impact patterns, which limit the performance of generic TTA algorithms.

- We propose Matcha, adjusting the hop-aggregation parameters in GNNs.
  - Address structure shifts effectively
  - Compatible to generic TTA algorithms to handle attribute shifts

 Our experiments show that Matcha improves model performance across different types of structure shifts.

