

# PEAR: Primitive Enabled Adaptive Relabeling for Boosting Hierarchical Reinforcement Learning







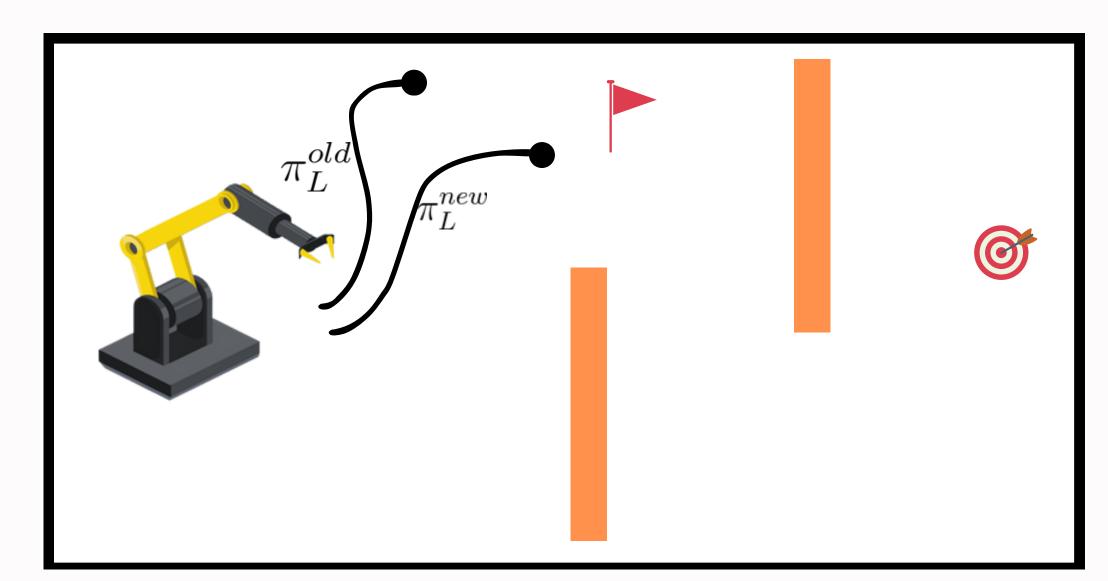
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# Motivation

- Off-policy Hierarchical Reinforcement Learning (HRL) suffers from non-stationarity.
- Can we leverage a few expert demonstrations to deal with non-stationarity in HRL?

### Non-stationarity

- Off-policy HRL suffers from non-stationarity, due to non-stationary lower primitive behavior.
- Off-policy RL transitions for bi-level hierarchy: Higher level:  $(s_t, g^*, g_t, \sum_{i=t}^{t+k-1} r_i, s_{t+k-1})$ Lower level:  $(s_t, g_t, a_t, r_t, s_{t+1})$
- Since the lower level primitive changes with training, the previously collected transitions become obsolete.



## Convergence Bounds

Sub-optimality Definition:

$$Subopt(\theta) = |J(\pi^*) - J(\pi)| \tag{1}$$

Sub-optimality Analysis:

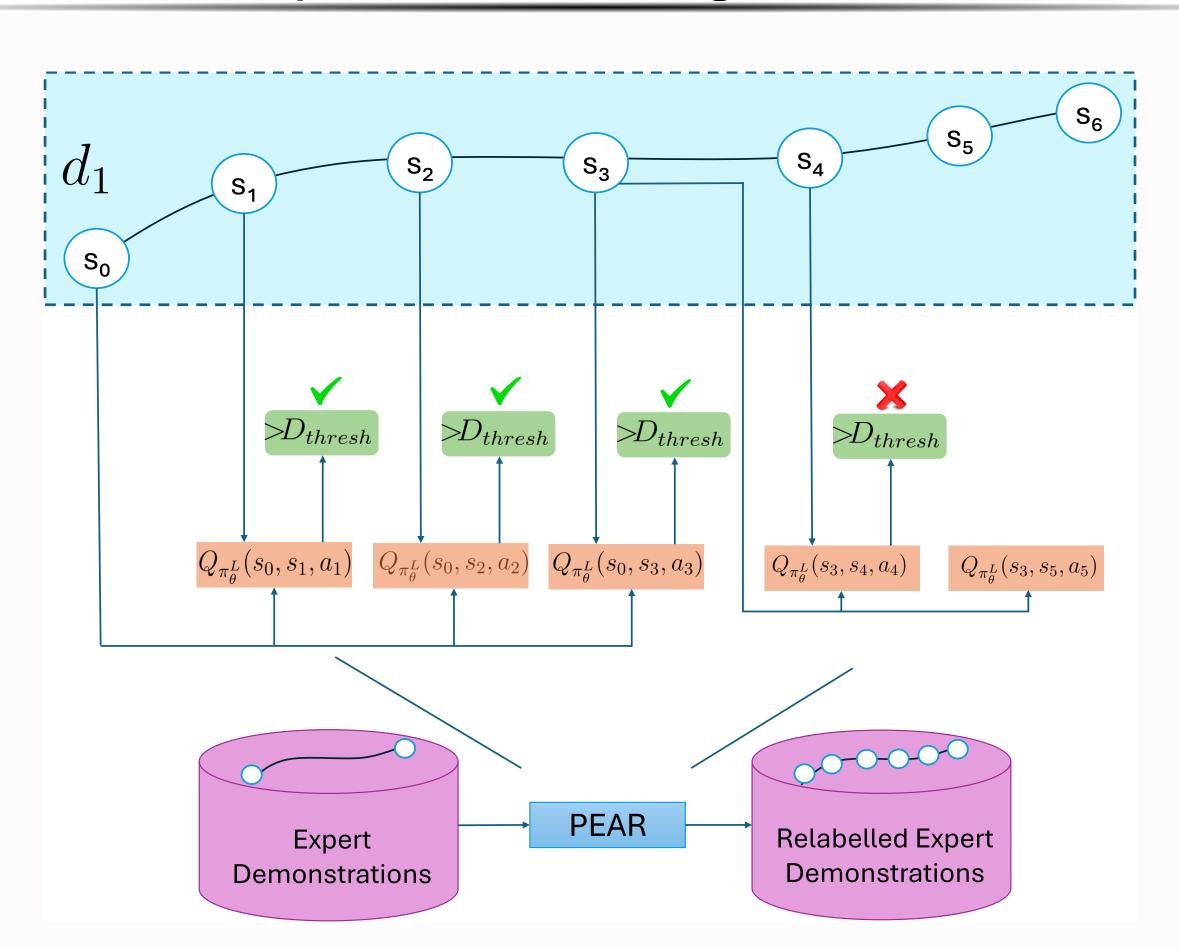
$$|J(\pi^*) - J(\pi_{\theta_H}^H)| \le \lambda_H * \phi_D + \lambda_H * \mathbb{E}_{s \sim \kappa, \pi_D^H \sim \Pi_D^H, g \sim G} [D_{TV}(\pi_D^H(\tau|s, g) || \pi_{\theta_H}^H(\tau|s, g))]$$
(2)

where 
$$\lambda_H = \frac{2}{(1-\gamma)(1-\gamma^c)} R_{max} \| \frac{d_c^{\pi^*}}{\kappa} \|_{\infty}$$

# PEAR

• Main Idea: Expert demonstrations are adaptively parsed and segmented using the current lower primitive, thereby mitigating non-stationarity.

### Adaptive Relabeling Overview



# Joint Optimization

• The higher level policy reinforcement learning term  $(J_{\theta_{u}}^{H})$  is regularized using additional imitation learning term  $(J_{BC}^H(\theta_H))$  or  $J_D^H(\theta_H,\epsilon_H)$ .

$$\min_{\theta_H} J_{BC}^H(\theta_H) = \min_{\theta_H} \mathbb{E}_{(s^e, s_g^e, s_{next}^e) \sim D_g, s_g \sim \pi_{\theta_H}^H(\cdot | s^e, g^e)} ||s_g^e - s_g||^2$$
(3)

$$\max_{\theta_{H}} \min_{\epsilon_{H}} J_{D}^{H}(\theta_{H}, \epsilon_{H}) = \frac{1}{2} \mathbb{E}_{(s^{e}, s^{e}_{g}, \cdot) \sim D_{g}} [\mathbb{D}_{\epsilon_{H}}^{H}(s^{e}_{g}) - 1]^{2} +$$

$$\max_{\theta_{H}} \min_{\epsilon_{H}} \frac{1}{2} \mathbb{E}_{(s^{e}, \cdot, \cdot) \sim D_{g}, s_{g} \sim \pi_{\theta_{H}}(\cdot | s^{e}, g^{e})} [\mathbb{D}_{\epsilon_{H}}^{H}(\pi_{\theta_{H}}^{H}(\cdot | s^{e}, g^{e})) - 0]^{2}$$

$$(4)$$

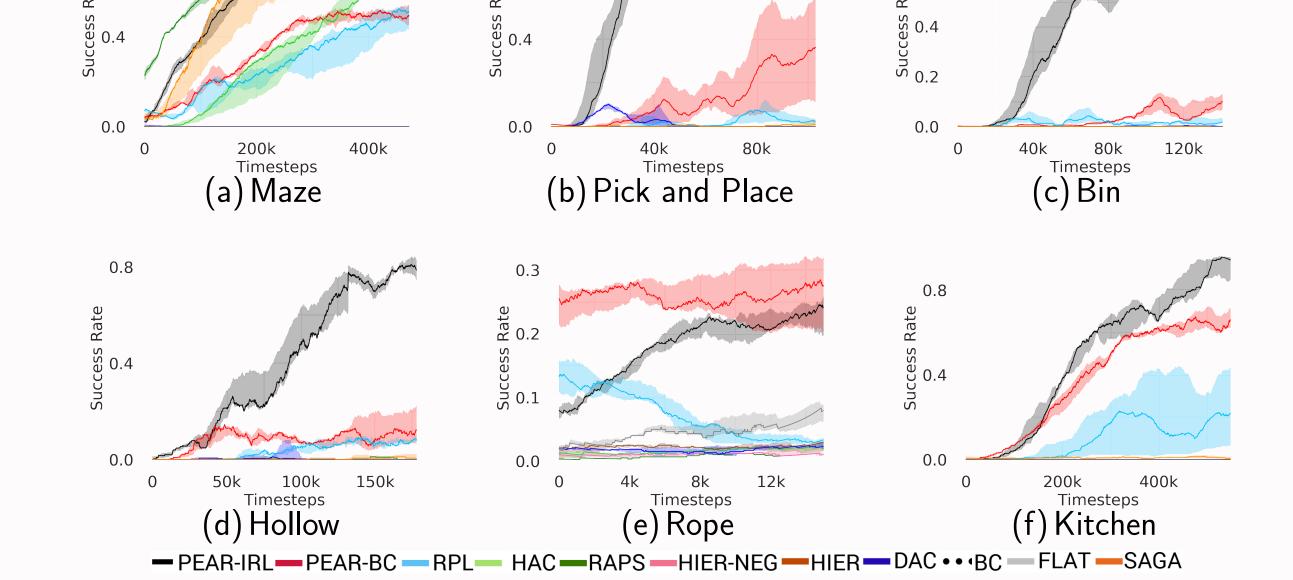
$$\max_{\theta_H} (J_{\theta_H}^H - \psi * J_{BC}^H(\theta_H)) \tag{5}$$

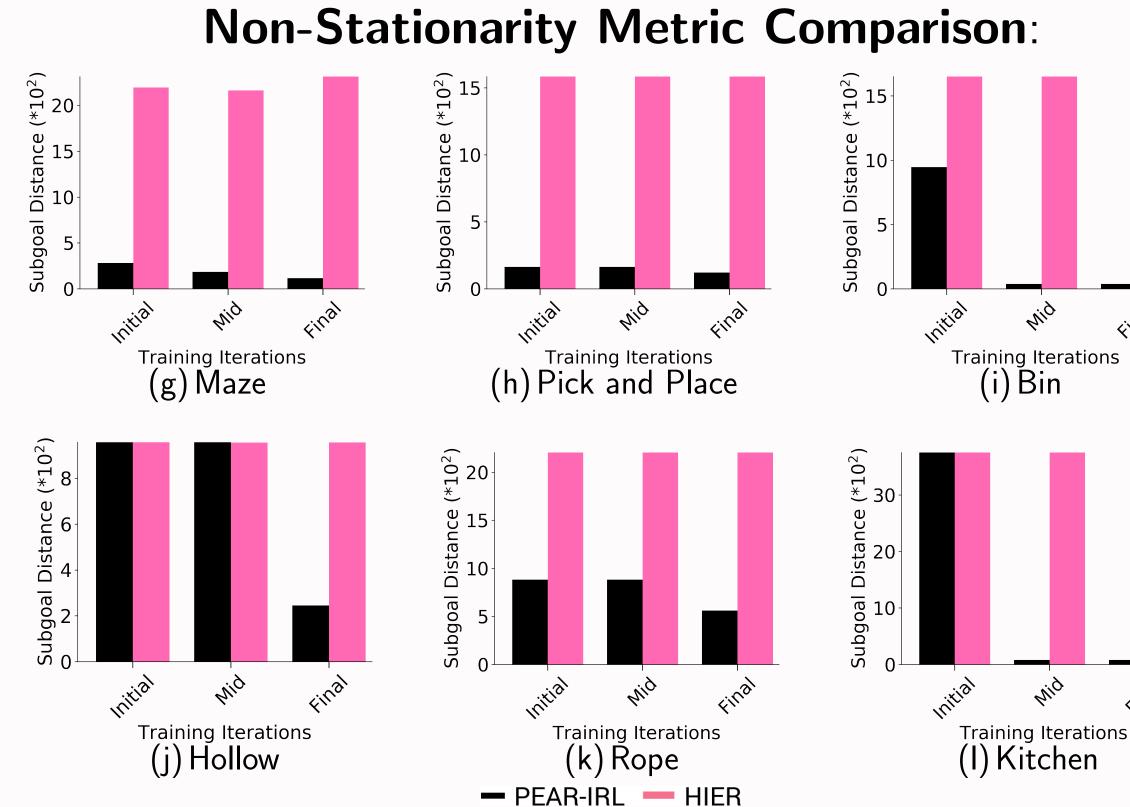
$$\min_{\epsilon_H} \max_{\theta_H} (J_{\theta_H}^H + \psi * J_D^H(\theta_H, \epsilon_H)) \tag{6}$$

# Results



PEAR achieves > 80% success rates on all tasks:





#### **Key Insights:**

- Adaptive Relabeling generates efficient subgoal supervision for higher-level policy.
- PEAR is able to mitigate non-stationarity in
- Sub-Optimality Bounds justify the importance of periodic re-population using adaptive relabeling.



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