

ICLR 2026

# Loopholing Discrete Diffusion

Deterministic Bypass of the Sampling Wall

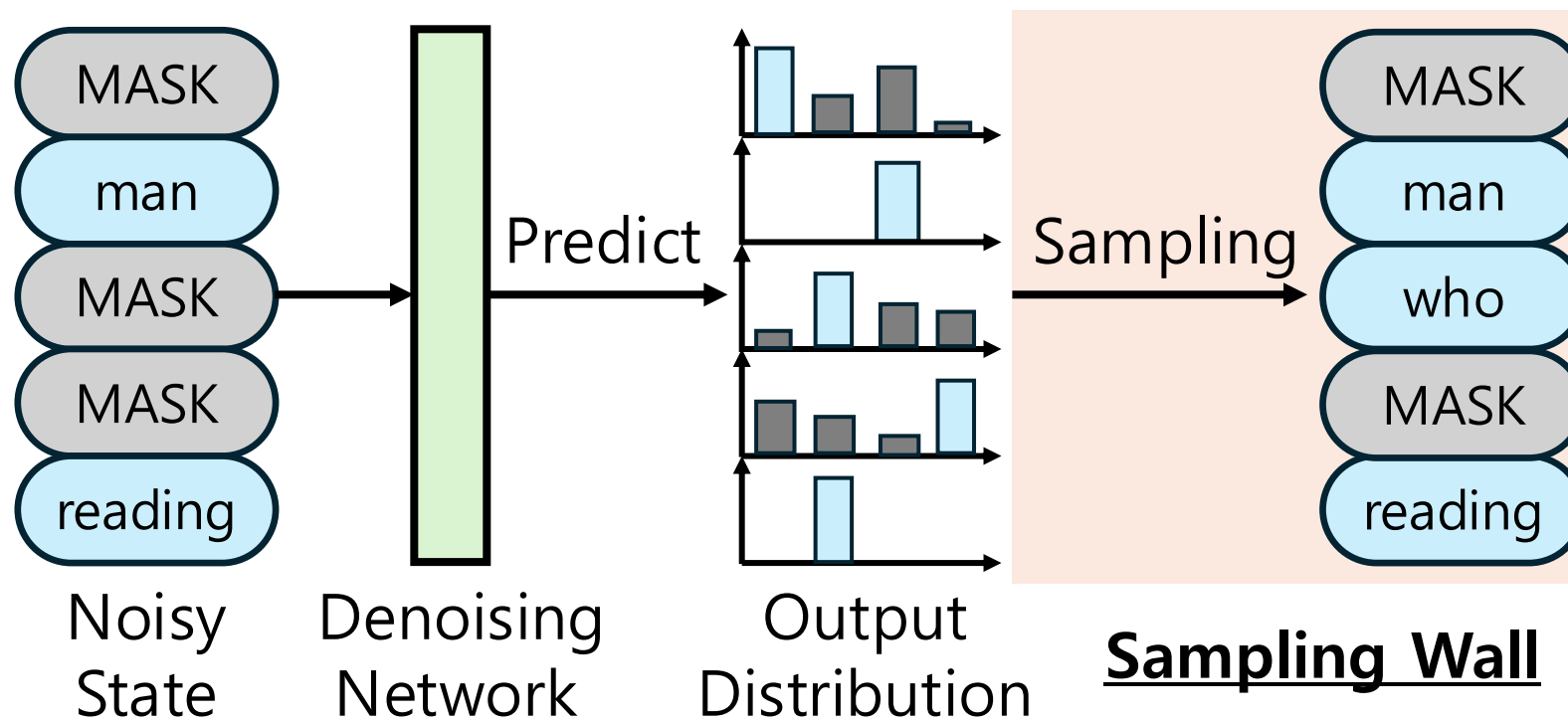
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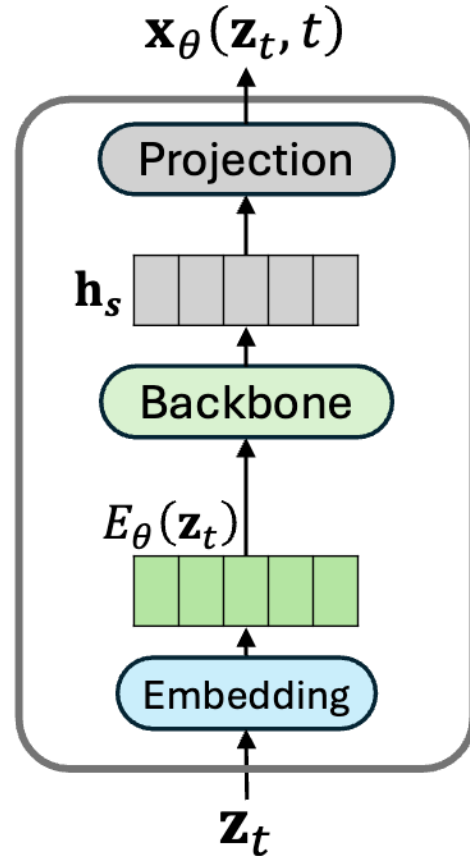
# The Sampling Wall Problem

Rich distributional information collapses into one-hot vectors after sampling.

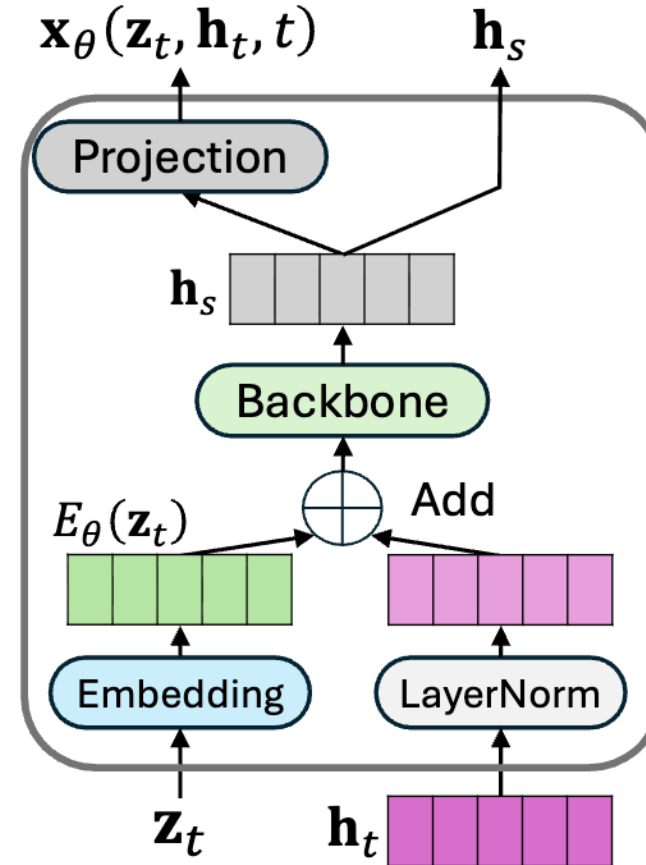


# Loopholing: Deterministic Latent Pathway

Bypass the sampling wall by directly propagating the rich latent  $\mathbf{h}_s$  to the next step.



Standard Discrete Diffusion

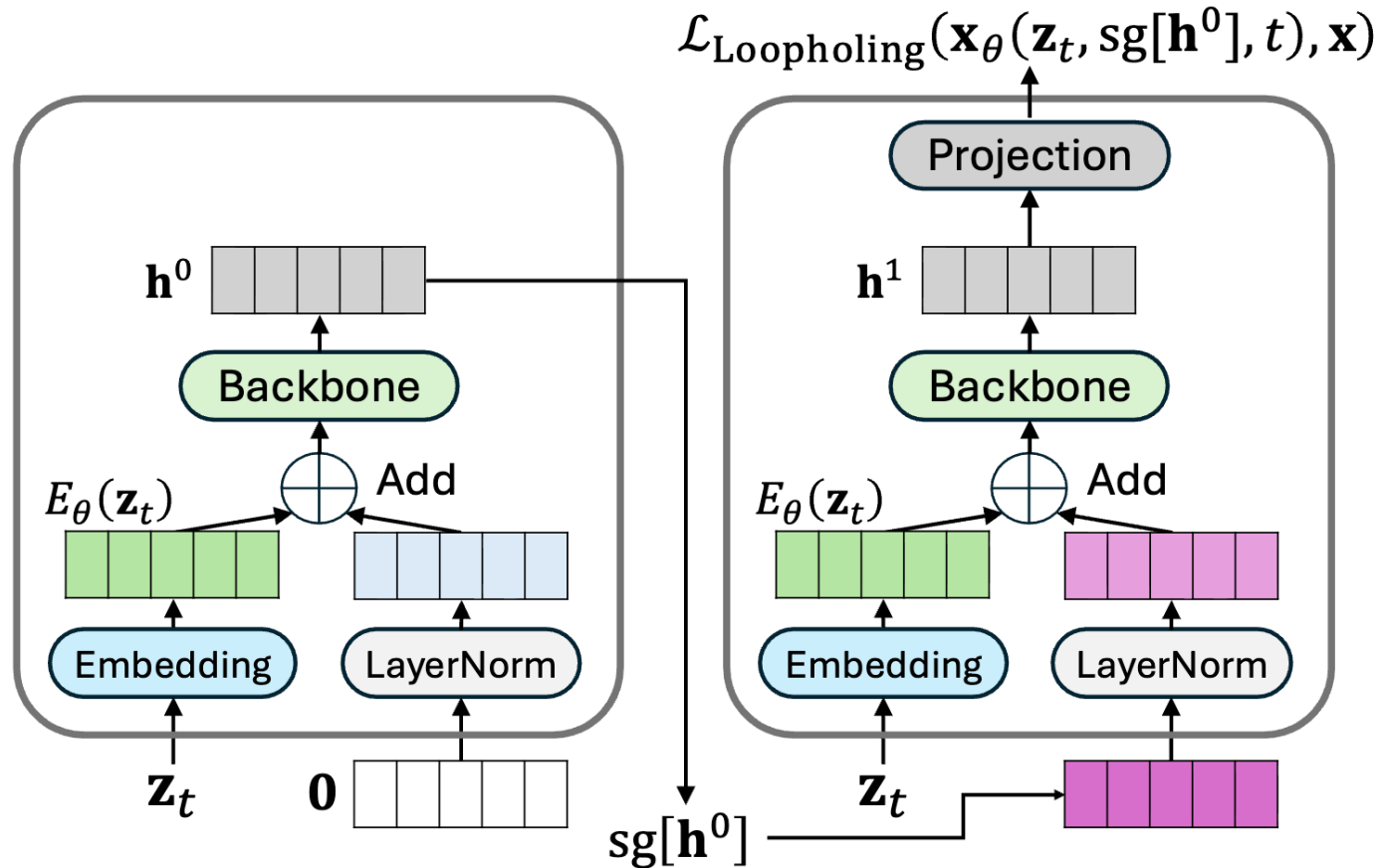


Generation with Loopholing

$$(\mathbf{x}_\theta(\mathbf{z}_t, \mathbf{h}_t, t), \mathbf{h}_s) = f_{\text{Loopholing}}(\mathbf{z}_t, \mathbf{h}_t, t)$$

# Training with Self-Conditioning

Avoids costly trajectory unrolling. Two forward passes per training step.



Training with Self-conditioned Loopholing

$$L_{\text{Loopholing}} = \mathbb{E}_{t, \mathbf{z}_t} \left[ \mathbf{1}[\mathbf{z}_t = m] \frac{\alpha'_t}{1 - \alpha_t} \left( \log \langle \mathbf{x}_\theta^1(\mathbf{z}_t, \text{sg}[\mathbf{h}^0], t), \mathbf{x} \rangle \right) \right]$$

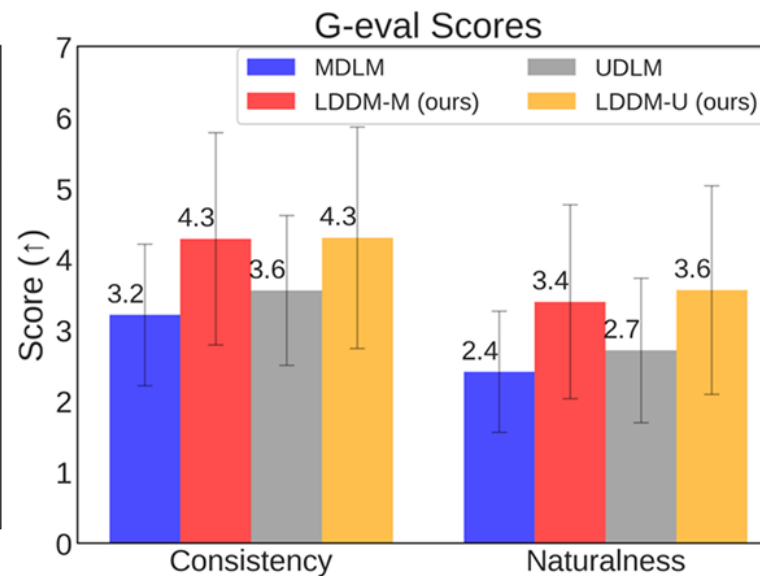
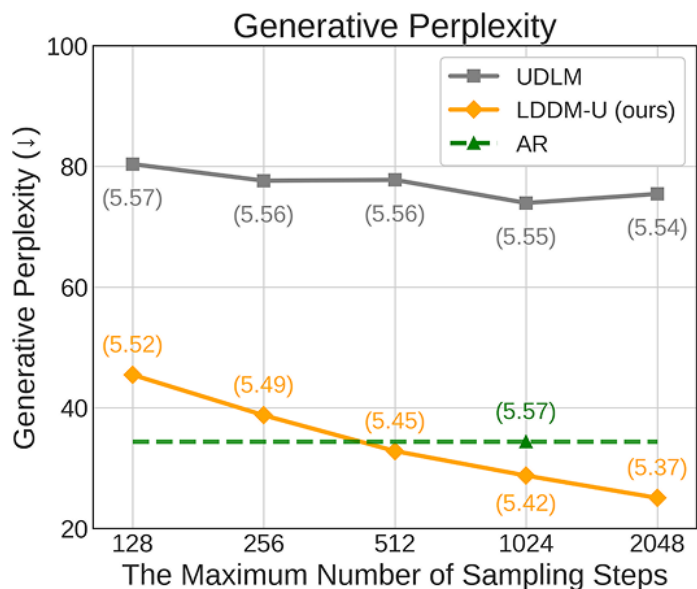
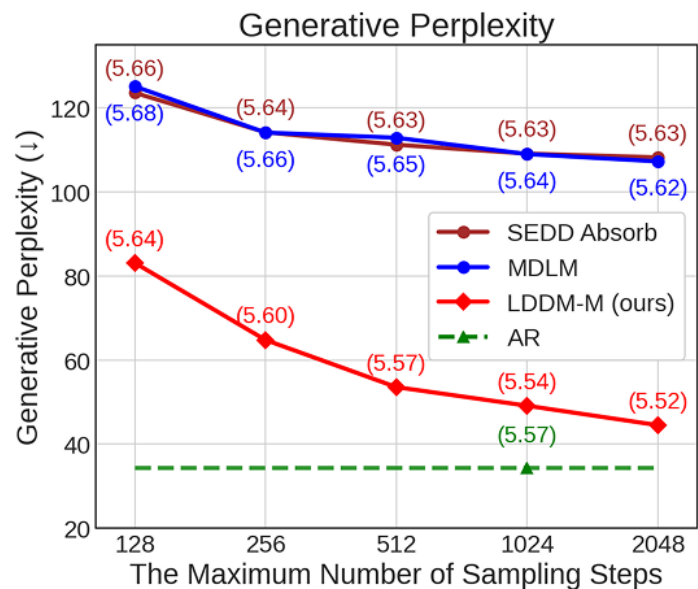
# Results – Likelihood

Looping consistently improves perplexity across both masked and uniform diffusion frameworks.

	PTB	Wikitext	LM1B	Lambada	AG News	Pubmed	Arxiv
<i>Masked Diffusion</i>							
SEDD Absorb <sup>†</sup>	97.87	38.34	74.71	50.15	76.54	45.25	39.75
MDLM <sup>†</sup>	86.33	36.30	<b>66.73</b>	48.36	68.62	41.94	37.52
<i>Uniform Diffusion</i>							
UDLM <sup>†</sup>	77.28	38.48	81.41	51.68	76.81	46.18	41.19
<i>Ours (LDDMs)</i>							
LDDM-M (ours)	85.80	<b>33.27</b>	69.53	<b>44.22</b>	<b>62.55</b>	<b>39.74</b>	<b>34.96</b>
LDDM-U (ours)	<b>71.52</b>	38.89	79.60	52.34	76.81	45.05	41.02

# Results – Generation Quality

Up to 61% reduction in generative perplexity, closing the gap with autoregressive models.



# Results – Reasoning Performance

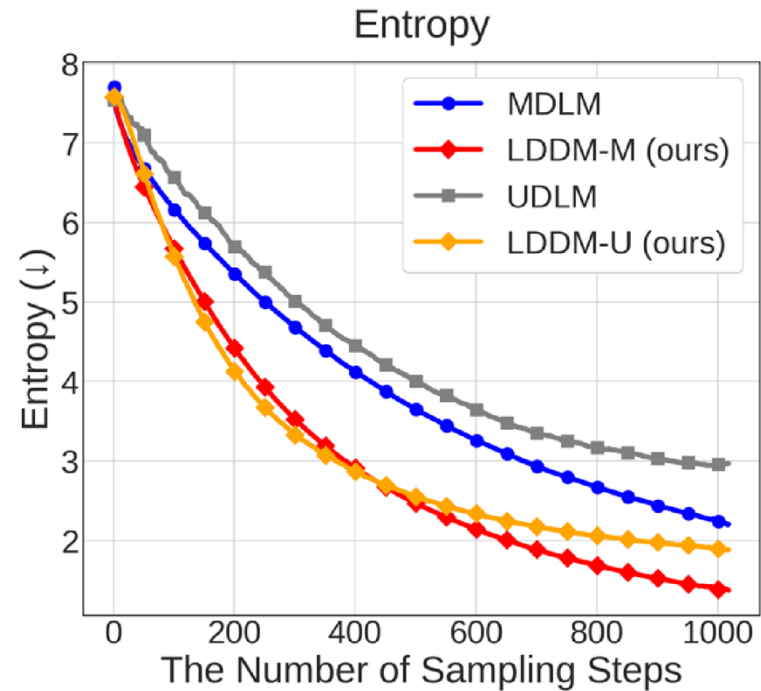
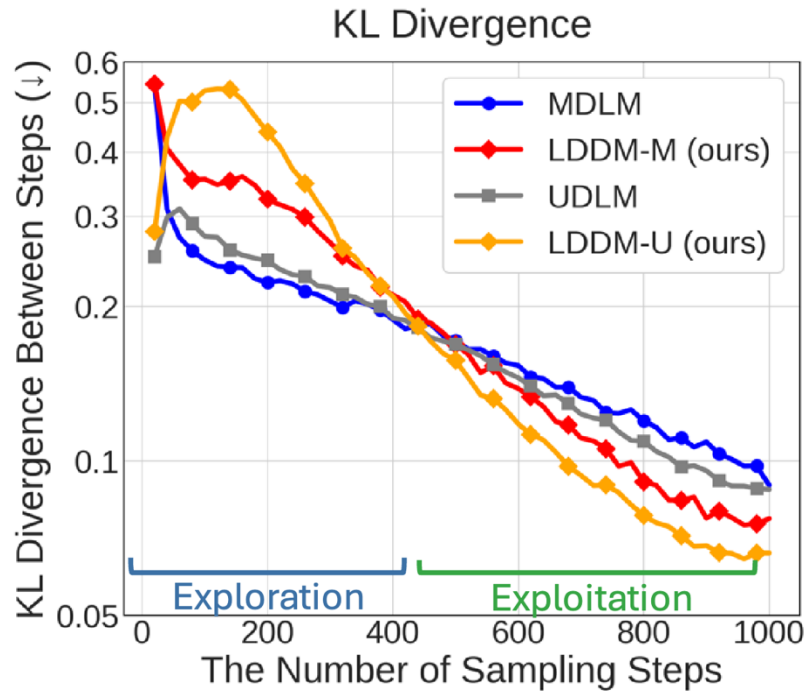
Looping boosts arithmetic reasoning accuracy by preserving richer solution-space representations.

**Table 3:** Success rates (%) on the Countdown (CD) and Game of 24 (G24) tasks.

Architecture	Params	CD 4	G 24	CD 5
MGDM <sup>1</sup>	6M	45	12	5.9
	85M	86.5	47	35.7
LDDM-G (Ours)	6M	<b>56.3</b>	<b>28</b>	<b>10.3</b>
	85M	<b>94.4</b>	<b>63</b>	<b>41.3</b>

# Results – Stable Generation

LDDMs explore more actively early on, then refine more stably, with consistently lower entropy.



# Thank you for listening

Paper

<https://arxiv.org/abs/2510.19304>



Project Page

<https://sites.google.com/view/lddms/home>



Code

<https://github.com/ahn-ml/lddm>

